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Retrieval of Snow Water Equivalent by the Precipitation Imaging Package (PIP) in the  
Northern Great Lakes

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Submitted to Journal of Atmospheric and Oceanic Technology

Submitted on December 29, 2020

Revised on June 11, 2021

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**Early Online Release:** This preliminary version has been accepted for publication in *Journal of Atmospheric and Oceanic Technology*, may be fully cited, and has been assigned DOI 10.1175/JTECH-D-20-0216.1. The final typeset copyedited article will replace the EOR at the above DOI when it is published.

## Abstract

Performance of the Precipitation Imaging Package (PIP) for estimating the snow water equivalent (SWE) is evaluated through a comparative study with the collocated National Oceanic and Atmospheric Administration National Weather Service snow stake field measurements. The PIP together with a vertically pointing radar, a weighing bucket gauge, and a laser-optical disdrometer was deployed at the NWS Marquette, Michigan office building for a long-term field study supported by the National Aeronautics and Space Administration's Global Precipitation Measurement mission Ground Validation program. The site was also equipped with a weather station. During the 2017-18 winter, the PIP functioned nearly uninterrupted at frigid temperatures accumulating 2345.8 mm of geometric snow depth over a total of 499 hours. This long record consists of 30 events, and the PIP-retrieved and snow stake field measured SWE differed less than 15% in every event. Two of the major events with the longest duration and the highest accumulation are examined in detail. The particle mass with a given diameter was much lower during a shallow, colder, uniform lake-effect event than in the deep, less cold, and variable synoptic event. This study demonstrated that the PIP is a robust instrument for operational use, and is reliable for deriving the bulk properties of falling snow.

## 1. Introduction

Precipitation is a key component of the water cycle and its global distribution is measured through a multi-platform effort including ground-based, shipborne, airborne, and spaceborne observations. Among these four platforms, the spaceborne measurements are the primary source for mapping the precipitation globally while the remaining three are the component of the validation efforts.

The National Aeronautics and Space Administration (NASA) Global Precipitation Measurement (GPM) mission and its predecessor, the Tropical Rainfall Measuring Mission (TRMM), map the precipitation globally using their core observatories and constellation satellites, and the Ground Validation (GV) program is an integral component of these missions (Skofronik-Jackson et al. 2017). One of the main differences between the TRMM and GPM missions is the orbital inclination of core observatory of 35° and 65°, respectively. Field Campaigns are integral components of the Earth observing satellite missions. Several field campaigns were conducted in the tropics and subtropics during TRMM era (Lau et al. 2000) but moved towards mid-to-high latitudes where precipitation falls in liquid, mixed and solid phases during GPM era (Skofronick-Jackson et al. 2015).

Historically, much of our knowledge of mixed and solid phase microphysics relies on the optical array probes on board research aircrafts (Field et al. 2006), while the surface measurements of falling snowflakes have been based on sampling individual particles (Gunn and Marshall 1958) until optical disdrometers became available. Optical disdrometers

measure the size and fall velocity of individual mixed and frozen particles with different degrees of uncertainty, however the complex shape, composition, and orientation bring additional challenges in determining the equivalent diameter of the snowflakes. The commercially available laser-optical PARSIVEL (PARTicle Size VELOCITY) and 2DVD (2-Dimensional Video Disdrometer) were originally developed to measure the raindrops. Battaglia et al. (2010) showed the limitations of the snowflake size and fall velocity measurements of snowflakes by PARSIVEL. The 2DVD measures the size and fall velocity of snowflakes between the two orthogonal cameras more accurately, provided the particle is correctly matched between the two view planes, and has been used to determine the scattering properties of snowflakes (Brandes et al. 2007, Huang et al. 2010, 2015, Bukovcic et al. 2017, 2020). The Multi-Angle Snowflake Camera (MASC) is another dedicated instrument designed to measure the properties of falling snowflakes. It captures high-resolution photographs of hydrometeors from three angles from which the habit can be identified (Garrett et al. 2012).

The Precipitation Imaging Package (PIP), formerly called the Snow Video Imager (SVI) was developed to measure the size and fall velocity of snowflakes. It has been widely used since its introduction (Newman et al. 2009) and underwent several hardware and software upgrades by the instrument inventor, Dr. Larry F. Bliven of NASA Wallops Flight Facility (Pettersen et al. 2020a, b). Most of the studies used PIP observations to investigate the microphysical properties of falling snow (Tiira et al. 2016, Moisseev et al. 2017, von Lerber et al. 2017, Pettersen et al. 2020a, b, Kulie et al. 2021) and to simulate the retrieval of snow properties from dual (Li et al. 2018) and triple frequency radars (Kneifel et al. 2015, Falconi

et al. 2018, Tyynelä and von Lerber 2019, Li et al. 2020) including GPM's Dual-frequency Precipitation Radar (DPR) (Liao et al. 2016). Additionally, Pettersen et al. (2020b) demonstrated that the PIP-based bulk liquid water equivalent was within 2.5% agreement when compared to the co-located snow stake field over many events. Chase et al. (2020) used the PIP observations to examine the precipitation rate (PR) – melted mass-weighted mean diameter ( $D_{\text{mass}^*}$ ) relationship in the presence of snow in the DPR algorithm and found out that the DPR power-law PR( $D_{\text{mass}^*}$ ) relationship is not optimal for snow. Measurement uncertainties of the SVI and PIP were evaluated by Wood et al. (2013) and Souverijns et al. (2017), respectively.

Of particular interest, Wood et al. (2014, 2015; W1415 hereafter) and von Lerber et al. (2017, 2018; vL1718 hereafter) described the methodology to retrieve the bulk snowfall characteristics including the snow water equivalent rate (SWER) and radar reflectivity ( $Z_e$ ) and used PIP measurements to test their retrieval processes. Pettersen et al. (2020b) compared the W1415 and vL1718 based bulk snowfall characteristics for low and high snow-to-liquid ratio events separately. The PIP measurements were used for this comparative study and a good agreement was found between the two retrieval methodologies. Pettersen et al. (2020b) found out that the W1415 and vL1718 retrieved SWER compared well to the independent PIP produced values of SWER.

This study uses PIP measurements to calculate the bulk descriptors of falling snowfall, snowfall rate (SR) and SWER. It should be noted that the SR refers to the snow intensity without melting while the SWER is the intensity of the melted equivalent of snow. The SR

and SWER and their integral quantities snow depth (DP) and snow water equivalent (SWE) are the components of the climate record and have a wide range of applications in atmospheric and hydrological sciences. Among those, SWE are used for the short ( $\leq$  daily) and long-term global precipitation mapping, respectively. The measurements of SWE are collected by operational gauges at daily or higher time resolutions and these observations are often integrated with the remote sensing precipitation estimate such as the one done by Multi-Radar Multi-Sensor (MRMS) product (Zhang et al. 2016). The MRMS is a ground validation product for the GPM mission (Kirstetter et al. 2015). It has a rain/snow discrimination algorithm based on surface air and wet-bulb temperatures (Chen et al. 2016) and relies on a power-law relationship between Ze and SWER for snow.

This study evaluates the retrieved SWE from PIP observations through comparisons with a National Weather Service (NWS) reference observations (hereafter referred to as “snow stake field” measurements). It should be noted that the estimated SWE is referred as PIP-retrieved SWE for the rest of the paper. The measurement site, at Marquette, Michigan (MQT) and the instrumentation including PIP and precipitation gauges are summarized in Section 2. Section 3 is devoted to retrieval methodology while the snow events that were determined based on PIP observations are listed in section 4. Section 5 compares collocated gauges and the catch efficiency of the gauges under windy conditions. The results of this study can be found in Sections 6 and 7 for the detailed discussion of the two events and overall comparisons, respectively, followed by conclusions in Section 8.

## 2. Measurement Site and Instrumentation

a. Measurement Site

The GPM Field Support Office augmented the existing precipitation observing site at MQT by deploying 10 OTT Pluvio<sup>2</sup> 200/400 weighing bucket gauges and an Autonomous PARSIVEL<sup>2</sup> unit (APU) at the beginning of December 2017. The master site (46.53°N, 87.55W) adjacent to the NWS office is approximately 230 m above the nearby Lake Superior shoreline (Figure 1) and has been equipped with a PIP and a K-band vertically pointing Micro Rain Radar (MRR) since January 2014 (Kulie et al. 2020, Pettersen et al. 2020a, b). The MRR provides the vertical structure of Ze and Doppler velocity (W) at 100 m gate spacing within 3 km above the ground. The daily PIP and MRR observations are posted on line at [https://www.ssec.wisc.edu/lake\\_effect/mqt/](https://www.ssec.wisc.edu/lake_effect/mqt/). The NWS office also operates a complete weather station and a manual snow stake field at the master site. Weather station and snow field observation details can be found in Pettersen et al. (2020a). The NWS Marquette Weather Surveillance Radar (KMQT) is located 80 m from the master site. The Pluvio<sup>2</sup> gauges were distributed up to 17 km from KMQT and one of the Pluvio<sup>2</sup> 200 gauges (PL09) and APU are collocated with the other instrumentation at the master site.

a. Precipitation Imaging Package (PIP)

PIP records the two-dimensional grayscale video images (see Figures 6 and 10, Kneifel et al. 2015) of falling particles between a light source and a high-speed camera that are 2 m apart. The field of view (FOV) is calculated based on the 48 mm x 64 mm calibration image



considering edge effects. The focal plane is about 1.3 m from the lenses and the depth of field (DOF) is size dependent. The sampling volume is a multiplication of FOV, DOF, and the number of frames over a given time period. Considering a single particle with 1 mm in equivalent diameter ( $D_{eq}$ ), the sampling volume is 3.95 m<sup>3</sup> for a one-minute observation period. This is relatively larger than the corresponding sampling volumes of 2DVD and PARSIVEL<sup>2</sup>, 2.40 m<sup>3</sup> and 1.25 m<sup>3</sup>, respectively.

The PIP's pixel size is 0.1x0.1 mm and the particles with less than 14 pixels are rejected. This effectively rejects the particles  $D_{eq} < 0.2$  mm. The standard sizing error for the SVI was reported as approximately 18% (Newman et al. 2009) and the current setup uses half of DOF reducing the uncertainty in the size measurements. The use of a higher speed camera enabled with particle tracking software allows the PIP to measure the fall velocity of individual particles (Pettersen et al. 2020b). This is one of the major improvements of the PIP from its original version, SVI. Depending on the direction of the particle entering and leaving the sample volume and particle size, particles have been photographed multiple times, which provide a unique information regarding the particle's motion. The PIP's measurement volume is not enclosed and therefore it is immune to the secondary particles due to splashing and under-sampling in windy conditions. This is one of the advantages of PIP with respect to the 2DVD and PARSIVEL.

The PIP's raw data has been grouped under particle, track, and velocity files. The record number and time stamp are included in each file that covers a 10 minute time span. The particle file was generated following National Instruments Image Acquisition (IMAQ)

software and outputs selected variables listed in Table 10-1 of IMAQ vision concepts manual (IMAQ, 2004). The definitions of the various descriptors of the size parameters including  $D_{eq}$  and maximum dimension of the particle ( $D_{mx}$ ) are given in the Appendix A. It should be noted that  $D_{eq}$  and  $D_{mx}$  are key for the retrieval assumptions and Figure 1b of von Lerber et al. (2017) shows the schematic image of plane projection of the side view of PIP snowflake with  $D_{eq}$  and  $D_{mx}$ .

The track files include, particle identification, record number, and  $D_{eq}$  but do not include other descriptors of size parameters that can be found in particle file. A look up table is generated where the record numbers are grouped by the particle identification number. Interestingly, a few particles had more than 20 records with a maximum of 59 records in our dataset. The user needs to combine particle and track files to determine the mean and maximum values of particle dimensions.

There are two velocity files. One is dedicated for the particles observed twice and the other is for the particles observed more than twice. The velocity files include the particle identification number from which the particle is matched, and the mean fall velocity is calculated. It is feasible that the particle may have negative (upward) fall velocity. Particles less than  $0.5 \text{ m s}^{-1}$  are excluded from the analysis (von Lerber et al. 2017).

The PIP also produces the higher-order products including estimates of effective density and precipitation rate as detailed in Pettersen et al. (2020b). The effective density is critical for the PIP derived SWER, which is used for a comparative study with W1415 and vL1718

retrieved SWE. Le and Chandrasekar (2019), on the other hand, presented rain rate (RR) and SWER time series to demonstrate the mixed phase period as a validation tool for the precipitation phase algorithm.

#### b. Precipitation Gauges

The OTT Pluvio<sup>2</sup> 200 is a heated weighing bucket gauge with a 200 cm<sup>2</sup> orifice. It outputs real-time and non-real time precipitation totals at 0.01 mm resolution for a predetermined sampling interval, which is typically one minute. The non-real time precipitation accumulation has a five minute delay and is reliable for 10-minute or longer observation periods.

The NWS snow stake field features an overflow can, collector funnel, and measuring tube and has a 324 cm<sup>2</sup> orifice. When solid precipitation is expected, the collector funnel and measuring tube are removed and the snow is accumulated to the overflow can. The snowfall in the overflow can is first melted and then poured in the measurement tube. The water content corresponds to the nearest 0.01 inch (0.254 mm) reading in the measurement tube. The measurement is taken every six hours at 00, 06, 12, and 18 UTC and at local midnight (05 UTC). Snow board totals are also recorded at the same measurement cadence. The local NWS offices in the northern United States (e.g. MQT office) often map the annual totals of winter precipitation under their jurisdiction.

Both the OTT Pluvio<sup>2</sup> 200 and stake field have single Alter shields but this may not be sufficient in windy conditions (Rasmussen et al. 2012). The Double Fence Intercomparison Reference (DFIR) is considered as a standard for the snow measurements (Yang 2014). Kochendorfer et al. (2017) offered the Catchment Efficiency Transfer Function (CETF) for unshielded and single-Alter shielded gauges when the weather station is at the gauge height and on a 10 m tower. This study uses the following form of CETF

$$\text{CETF} = \exp(-a \cdot U (1 - \tan^{-1}(b \cdot T_{\text{air}} + c))) \quad (1)$$

where U and T are the 30-minute averages of wind speed in m s<sup>-1</sup> and air temperature in °C, respectively. The coefficients a, b, and c are 0.0348, 1.366, and 0.779, respectively. They are chosen based on the presence of an Alter-shield gauge and a weather station at the gauge height. Eq. (1) is valid when the mean wind speed is less than 7.2 m s<sup>-1</sup> and this was the case for all the events used in this study.

The CETF was applied to the Pluvio<sup>2</sup> gauge whenever the gauge recorded precipitation. The mean wind speed and temperature were calculated from the data collected within ±15 minutes of the gauge measurement time. Snow stake field observations were manipulated to mimic the Pluvio<sup>2</sup> gauge time stamps. A time series of the PIP SR is a reliable source for the intensity change at one-minute resolution. For the NWS snow measurement observational period (1 or 6 hour since midnight falls in 0500 UTC during EST), a calibration constant was determined by taking the ratio of the stake field total to the PIP DP. The calibration constant was then multiplied with the PIP SR and the SR was accumulated from

the beginning of the stake field observation period. Once the accumulation reached 0.01 mm, the time stamp (e.g. minute) was saved and the accumulation was reset to zero. One-minute accumulations were as high as 0.13 mm accumulation in this study. The CETF was then applied to the manipulated stake field observations.

### 3. Retrieval Methodology

This section describes the DP and SWE calculation procedure from PIP particle size, and velocity measurements. The accuracy of PIP measurements including particle concentration, the choice of prescribed  $D_{mx}(D_{eq})$  relationships and four different approaches of particle mass calculation play an important role in determining the SWE.

#### a. Snowflake Size distribution (SSD)

The SSD is the number of particles in a volume of air in the  $i^{th}$  size interval,  $N(D_{eq,i})$  and is expressed as a function of DOF and FOV, both of which vary with the particle size. It is formulated as

$$N(D_{eq,i}) = \frac{1}{TN_f \Delta D_{eq,i}} \sum_{j=1}^N \frac{1}{DOF_{i,j} FOV_{i,j}} \quad (2)$$

where  $T$  is the period of observation (typically 60 seconds);  $N$  is the number of particles in  $i^{th}$  size bin,  $N_f$  is the number of frames (380 per second), which is substantially higher than SVI (the fewer than 60 frames per second; Newman et al. 2009);  $\Delta D_{eq}$  is the particle bin width

which is set to 0.2 mm, FOV (meter<sup>2</sup>) =  $10^{-6} (48 - D_{eq})(64 - D_{eq})$  and DOF (meter) =  $0.117/2 D_{eq}$  where  $D_{eq}$  is in mm.

Time series of size distribution are useful for characterizing the precipitation systems with different origins. In rain, the presence of an abundance of small drops in tropical cyclones and their absence in extratropical cyclones was shown in a study in mid-Atlantic region (Tokay et al. 2008). In snow, the shallow lake effect events had fewer small particles than the deep synoptic events (Pettersen et al. 2020a). For rain, the small, midsize and large drops are separated with size thresholds of 1 mm and 3 mm such that the drops larger than 3 mm in diameter are considered as large (Tokay et al. 2014). For snow, the size threshold between the midsize and large flakes is considered as 5 mm in diameter since both aggregates and graupel often reach sizes above this threshold. Hence, the midsize flakes are considered between 1 mm and 5 mm in diameter in this study.

#### b. Snowflake Mass

The mass of a snowflake ( $m$ ) has been expressed as a function of  $D_{mx}$ . Matrosov (2007) relied on horizontally-oriented dry aggregate measurements of Magono and Nakamura (1965) in Japan and offered the following expressions for the mass of a snowflake in grams for a wide range of  $D_{mx}$  of a spheroid in mm.

$$m = \begin{cases} 3.0 \times 10^{-5} D_{mx}^{2.0}, & (0.1 < D_{mx} \leq 2 \text{ mm}) \\ 2.1 \times 10^{-5} D_{mx}^{2.5}, & (2 < D_{mx} \leq 20 \text{ mm}) \\ 4.7 \times 10^{-5} D_{mx}^{3.0}, & (D_{mx} > 20 \text{ mm}) \end{cases} \quad (3)$$

While this set of  $m(D_{mx})$  relationships have been used for the backscattering cross section calculations (Leinonen et al. 2012), it was recognized that  $m(D_{mx})$  relationship has a wider range due to the particle habit which diverges from a dry spheroid (Tyynelä and Chandrasekar 2014). Tiira et al. (2016) suggested  $m = 6.4 \times 10^{-5} D_{mx}^{2.002}$  and  $m = 4.9 \times 10^{-5} D_{mx}^{2.031}$  relationships based on PIP measurements for two consecutive winters in Finland where the former winter has more rimed particle in milder conditions. For a particle where  $D_{mx} = 3$  mm, snowflake mass is 23% higher during the first winter than the second and is between the two winters if Eq. (6) is used.

This study recognizes the dependency of the particle mass on the habit and uses the hydrometeor aerodynamics outlined by Böhm (1989, BM hereafter). A similar approach was used by Szrmer and Zawadzki (2010) and von Lerber et al. (2017) and the process used in this study is explained in the following four steps:

First, the PIP  $D_{mx}$  is prescribed as a function of  $D_{eq}$  as follows;

$$D_{mx} = \alpha D_{eq} \quad (4)$$

where  $\alpha = 1.2, 1.3, 1.4$ , and  $1.5$ . Using PIP measurements, von Lerber et al. (2018) reported  $\alpha$  between 1.28 and 1.49. Assuming spheroidal shape with axis ratio of 0.6 (Li et al. 2018), Moisseev et al. (2017) found  $\alpha$  to be 1.25. PIP fall velocity measurements are binned as a function of  $D_{mx}$  at five-minute intervals (von Lerber et al. 2017). The bin width is set to 0.2

mm and the midsize diameter of the bin ranges from 0.1 to 19.9 mm. The fall velocity measurements within a bin did not necessarily follow a normal distribution, mainly due to outliers at the high end as previously observed in Tiira et al. (2016). Here the median rather than mean fall velocity ( $v$ ) is therefore represented in each bin.

Second, the Reynolds number ( $Re$ ) was calculated from the median fall velocity for each size bin using the midsize diameter and is expressed as

$$Re = v D_{mx} \rho_a / \eta \quad (5)$$

where  $\rho_a$  and  $\eta$  are the density of air and dynamic viscosity, respectively and are calculated from environmental variables extracted from the weather station observations at the MQT NWS site.

Third, the Best number ( $X$ ) is calculated from  $Re$  for each size bin and is expressed as

$$X = \left( \frac{\delta_0^2 C_0^2}{4} \left\{ \left[ \frac{(4Re)^{\frac{1}{2}}}{\delta_0} + 1 \right]^2 - 1 \right\} \right)^2 \quad (6)$$

where  $\delta_0$ , and  $C_0$  are the boundary layer thickness and the drag coefficient and are taken as 5.83 and 0.6, respectively following Böhm (1989). Eq. (6) is a generalized theoretical relationship between  $Re$  and  $X$  considering an idealized spheroidal snowflake shapes. Mitchell and Heymsfield (2005, MH hereafter) expressed  $Re$  as a function of the  $X$ , reversing



Eq. (9) and added an empirical term –  $a_0 X^{b_0}$  where  $a_0 = 0.0017$  and  $b_0 = 0.8$  for a turbulence correction to increase the drag at very large  $Re$  in the presence of large aggregates. Khvorostyanov and Curry (2005, KC hereafter) offered an alternative approach for the turbulence drag. Both MH and KC aimed to achieve more realistic particle fall velocities. Szyrmer and Zawadzki (2010, SZ hereafter) reformulated the MH and KC  $X$ - $Re$  relationships with an eight-order polynomial where  $\log(X)$  is expressed as a function of  $\log(Re)$

$$\log(X) = \sum_{l=1}^8 C_l [\log(Re)]^l \quad (7)$$

where  $C_l = C_{MH,l}$  for the MH  $X$ - $Re$  relation and  $C_l = C_{KC,l}$  for the KC  $X$ - $Re$  relation. The coefficients of  $C_{MH,l}$  and  $C_{KC,l}$  are given in Table 2 of the SZ study and are used as a second and third alternative  $X$  in this study. Heymsfield and Westbrook (2010, HW hereafter) sought a better agreement between the observed and theoretical fall velocities in the presence of pristine ice crystals and aggregates. They suggested  $\delta_0 = 8.0$  and  $C_0 = 0.35$  in Eq. (6) and this has been employed as a fourth alternative  $X$  in this study.

Fourth, the mass of a snowflake was calculated from the  $X$  for each size bin and is expressed as

$$m = \frac{\pi \eta^2 X}{8g\rho_a} \left(\frac{A_e}{A}\right)^t \quad (8)$$

where  $g$  is the gravitational constant,  $A_e$  is the effective particle area, and  $A$  is the area of the smallest circle or ellipse which contains  $A_e$ . The area ratio ( $A_e/A$ ) is also explained as

$(D_{eq}/D_{mx})^2$  and is 0.69, 0.59, 0.51, and 0.44 for  $\alpha = 1.2, 1.3, 1.4$ , and  $1.5$ , respectively. The exponent  $t$  is equal to 0.25 for BM, MH, and KC methods, and is 0.5 for HW method.

Power law fits were applied to  $v(D_{mx})$  and  $m(D_{mx})$  relationships using orthogonal least squares and are expressed as;

$$v = a_v D_{mx}^{bv} \quad (9a)$$

$$m = a_m D_{mx}^{bm} \quad (9b)$$

The fitting was based on the median values of fall velocity ( $m\ s^{-1}$ ) and mass (g) in each size bin and bin midsize  $D_{mx}$  (cm). Each size bin should have at least 10 snowflakes to calculate the median values of velocity and mass and this condition should be satisfied for at least eight size bins, otherwise the fitting was not applied.

### c. Snow Depth

The DP is a geometric depth of falling snow for a period of observation. It is expressed as functions of particle volume, concentration, and fall velocity and is given in units of mm for sixty-second (dt) of observation.

$$DP = \pi 10^{-5} \int_t^{t+\Delta t} \int_{D_{min}}^{D_{max}} v(D_{mx}, t) D_{eq}^3 N(D_{eq}, t) dD_{eq} dt \quad (10)$$

The particle fall velocity in Eq. (10) is a function of  $D_{mx}$  and the DP are therefore calculated for the four values of  $\alpha$  in the  $D_{mx}(D_{eq})$  relationship. The NWS measures the geometric depth using a snow board that is cleared after every measurement interval. The main difference between the NWS measurement and geometric depth derived from Eq. (10) is the packing efficiency of the snowflakes and the snow compression. Tiira et al. (2016) pointed out the packing efficiency as 70% for the worst case scenario and the snow compression close to unity for a freshly fallen snow. These two factors should be considered if the DP is compared to the NWS measurement which is beyond the scope of this study.

#### d. Snow Water Equivalent

The SWE is an accumulation of liquid equivalent of falling snow. It is expressed as functions of mass, fall speed, and concentration of the particles in a volume of air and is in units of mm for sixty-seconds (dt) of observation.

$$SWE = \frac{6 \cdot 10^{-2}}{\rho_w} \int_t^{t+\Delta t} \int_{D_{min}}^{D_{max}} m(D_{mx}, t) v(D_{mx}, t) N(D_{eq}, t) dD_{eq} dt \quad (11)$$

where  $\rho_w$  is the density of water in  $\text{g cm}^{-3}$ .

#### 4. Snow Events

The PIP SR time series were used to define the snow events. Precipitating periods were recognized when a minimum sample of 50 particles and a minimum intensity of  $0.1 \text{ mm h}^{-1}$

were observed over one-minute intervals. The collocated APU, which has a built-in algorithm for retrieving the precipitation phase (Yuter et al. 2006) and the wet-bulb temperature from collocated weather station were examined to determine periods with frozen precipitation. A total of 30 snow events were then identified based on following three conditions: 1) The time gap between the two consecutive events was longer than 12 hours; 2) The DP was 3 mm or higher; 3) The event had at least 90 samples. Table 1 denotes the snow events with the event number, event date, start and end Day-Of-Year (DOY) and hour (HH) in UTC, total number of snowy minutes, PIP DP, and median, minimum, and maximum values of wet-bulb temperature and wind speed. During the 2017-18 winter, PIP accumulated 2345.8 mm of geometric DP in 499 hours. Event 11 was the longest, while Event 30 had the highest accumulation. These two events are different in many aspects and this study uses these two events as representation of the two predominant snowfall regimes at MQT (see also Pettersen et al. 2020a,b and Kulie et al. 2020).

Event 11 had three days and two hours of nearly continuous lake-effect snowfall. The storm started when a low pressure center was situated between Lake Superior and Lake Huron with a north-south elongated cold front and west-east arc shape warm front at 1500 UTC on January 3, 2018 (Figure 2a). This is a classical extratropical cyclone scenario frequently observed in upper Midwest in winter. The low pressure center moved northeast and a high pressure center penetrated to south, centering on southwest Ontario, Canada at 1500 UTC on January 5, 2018 (Figure 2b); a perfect configuration for the northwesterly flow fetching from Lake Superior to MQT shore. The wet-bulb temperature ranged between -16°C and -18°C for most of the event (Figure 3a). The winds were moderate with a median wind speed

of  $3.5 \text{ m s}^{-1}$  and blew from northwest for the entire event (Figure 3b). Time series of the MRR Ze and W showed echo tops less 1.5 km with  $Ze \leq 15 \text{ dBZ}$  (Figure 4a) and  $W \leq 1 \text{ m s}^{-1}$  (Figure 4b) for the entire event.

Event 30 was an example of a spatially variable storm. The event can be divided into different segments depending on synoptic and microphysical analyses, respectively. The event started when a low pressure centered over Indiana with a north-south elongated cold front at 1200 UTC on April 15, 2018 (Figure 5a). MQT, located well within the cold sector, received northeasterly flow. The low pressure center moved to the mid-Atlantic and a secondary low formed over Lake Huron at 1500 UTC on April 16, 2018 (Figure 5b). The wet-bulb temperature ranged between  $-5^{\circ}\text{C}$  and  $-7^{\circ}\text{C}$  for most of the event (Figure 6a). The winds were moderate with a median wind speed of  $4.8 \text{ m s}^{-1}$ , while the wind direction shifted from northeast to northwest at around 1430 UTC on April 16 (Figure 6b). This coincided with the eastward movement of the low pressure system. Times series of MRR Ze and W exhibited three distinct segments of the storm. The first segment ending near 0000 UTC on April 16 had radar echoes for the entire column with  $Ze > 20 \text{ dBZ}$  (Figure 7a) and  $W \sim 2.5 \text{ m s}^{-1}$  (downward) near the ground (Figure 7b). The second segment ending 1800 UTC on April 16 was a shallow period with echo tops mostly less than 1.5 km with  $Ze \leq 15 \text{ dBZ}$  and  $W \sim 2.0\text{-}2.5 \text{ m s}^{-1}$ . The third segment was a mixture of brief deep and shallow periods of snowfall with echo tops ranging between 1.5 and 3.0 km. The shallow MRR reflectivity features and microphysical evolution associated with the second and third segments of this event indicate likely lake and orographic enhancement processes that frequently occur at this site (Kulie et al. 2021). The MRR Ze was bounded mostly between 10-20 dBZ while MRR W gradually

decreased from  $2 \text{ m s}^{-1}$  to  $< 1 \text{ m s}^{-1}$  until the last gap in the time series at 0100 UTC on April 17 and increased to over  $2 \text{ m s}^{-1}$ .

## 5. Gauge Measurements

Gauges provide direct precipitation measurements and are therefore used as a reference for evaluating the performance of disdrometers (Tokay et al. 2013, 2014). Indeed, this study used the gauge measurements to evaluate the PIP derived SWE with caution. Ideally, multiple heated weighing bucket gauges are operated within Double Fence Intercomparison Reference, but this is only feasible for a study focusing on gauge accuracy in winter precipitation (Rasmussen et al. 2012).

The comparison of collocated PL09 and snow stake field measurements revealed that PL09 underestimated event totals nearly in all events (Figure 8). This was partly due to the PL09 malfunction. Stake field errors are primarily due to coarse resolution of 0.01 inch. Two-thirds of the events in December 2017 had less than 2 mm SWE where the PL09 and stake field totals differed by more than 25%. Such large differences between the two measurements were also evident for the low SWE events observed in 2018. About 80% of the events in 2018 had SWE more than 2 mm where the differences between the two were less than 20% nearly in all events, indicating a reasonable agreement. The events with high median wind speed ( $WSP_{\text{med}} > 4 \text{ m s}^{-1}$ ) or low median wet-bulb temperature ( $WB_{\text{med}} < -10^{\circ}\text{C}$ ) did not necessarily have the large differences in precipitation totals (Figure 8). This was also

the case when the event maximum wind speed ( $WSP_{\max} > 8 \text{ m s}^{-1}$ ) or maximum wet-bulb temperature ( $WB_{\max} < -5^{\circ}\text{C}$ ) was considered.

## 6. Two Predominant Events

### a. Snow Size Distribution

SSD time series between Events 11 and 30 were significantly different (Figure 9). Event 11 had a relatively uniform distribution with abundant small flakes, low concentrations of midsize flakes and an absence of large flakes. The low concentrations of midsize flakes were mainly due to the lack of flakes between 3-5 mm size range (Figure 9a). Event 30 showed intra-event variability reflecting the three segments observed in MRR Ze and W time series. The abundant small flakes, high concentration of midsize flakes, and the presence of large flakes between 5–10 mm in  $D_{eq}$  were the characteristic features of the first segment (Figure 9b). The narrow size spectra, with maximum flake size less than 3 mm dominated the second segment. The concentration of small flakes was also less than the first segment particularly toward the end of the second segment. The third segment was dominated by the low concentrations of small flakes, but the midsize flakes were well represented and the large flakes were also present including aggregates as large as 15 mm.

### b. Snowflake Mass

Time series of the coefficients,  $a_v$  and  $a_m$ , of the  $v(D_{mx})$  and  $m(D_{mx})$  relationships, respectively, reflected the characteristic differences between and within the events. In this study, time series of  $a_v$  was constructed for four different  $D_{mx}(D_{eq})$  relationships while time series of  $a_m$  was presented for four different Best number approaches when  $D_{mx} = 1.4 D_{eq}$ .

Time series of  $a_v$  in Event 11 reflected the uniform nature of the event where the maximum and minimum  $a_v$  values ranged between 0.5-1.9  $m s^{-1} cm^{-b_v}$  (Figure 10a). The maximum difference in  $a_v$  at a given time occurred between 1.3 $D_{eq}$  and 1.5 $D_{eq}$  and was 0.8  $m s^{-1} cm^{-b_v}$ . Time series of  $a_m$  in Event 11 had uniform structure throughout the event but there were significant differences in  $a_m$  at a given time between the four methods (Figure 10b). The  $a_m$  values were significantly lower for the HW method and the maximum difference in  $a_m$  at a given time, 0.005  $g cm^{-b_m}$ , occurred between the HW and MH methods. The MH method resulted in slightly higher  $a_m$  values than the BM and KC methods.

Time series of  $a_v$  in Event 30 reflected the three segments of the event discussed in Section 5. The first segment had uniform structure where the maximum and minimum  $a_v$  values are bounded between 1.1-1.9  $m s^{-1} cm^{-b_v}$  (Figure 11a). The second segments of the storm had high variability where the minimum and maximum  $a_v$  values ranged from 1.2  $m s^{-1} cm^{-b_v}$  to 4.9  $m s^{-1} cm^{-b_v}$ . The third segment of the storm had moderate variability with a 0.6-2.7  $m s^{-1} cm^{-b_v}$  range in  $a_v$ . The maximum difference in  $a_v$  at a given time was observed between 1.2 $D_{eq}$  and 1.5 $D_{eq}$  during the second segment of the event and was 2.5  $m s^{-1} cm^{-b_v}$ . It should be noted that the exponent ( $b_v$ ) of the  $v(D_{mx})$  relationships was around 0.5 in the power law relationships. For a 0.1 cm snowflake with  $a_v = 4.9 m s^{-1} cm^{-b_v}$  and  $b_v = 0.5$ , PIP fall velocity



is  $1.55 \text{ m s}^{-1}$ . Indeed, the visual inspection of velocity tables (not shown) showed that the median PIP fall velocity for the bin centered at 1.1 mm diameter remained less than  $2 \text{ m s}^{-1}$  during the second segment of the event.

Time series of  $a_m$  in Event 30 had a similar trend as the time series of  $a_v$  for the same event (Figure 11b). The uniformity and high variability were evident during the first and second segment of the event, respectively, and  $a_m$  ranged between  $0.002$ - $0.06 \text{ g cm}^{-bm}$  during the second segment. The exponent ( $b_m$ ) of the  $m(D_{mx})$  relationship was around 2.6 when  $a_m$  had the highest value in this segment. For a 0.1 cm snowflake with  $a_m = 0.06 \text{ g cm}^{-bm}$  and  $b_m = 2.6$ , mass is  $0.00015 \text{ g}$  matching well with the mass table (not shown). It should be noted that the HW method resulted in distinctly lower  $a_m$  values throughout the event. The maximum difference in  $a_m$  at a given time,  $0.39 \text{ g cm}^{-bm}$ , was observed between the MH and HW methods during the highly variable second segment and was significantly higher than the difference in Event 11. The dependency of the PIP-retrieved mass to the method of derivation has a clear role on the PIP-retrieved SWE that will be discussed later in this paper.

#### d. Snow Water Equivalent

Time series of PIP-retrieved and stake field-measured SWE show different degrees of agreement on an event-by-event basis. The PIP-estimated SWE was more sensitive to the method of  $Re$ - $X$  numbers relationship than to the choice of  $D_{mx}(D_{eq})$  relationship. A separate figure was therefore generated for each of the four  $Re$ - $X$  numbers relationships for each event. Each figure includes PIP-retrieved SWE for  $D_{mx} = 1.2D_{eq}$  and  $D_{mx} = 1.5D_{eq}$ . Given the

fact that PL09 gauge malfunctioned in several events, the uncorrected and wind-corrected stake field records were taken as a reference.

The two events presented in detail in previous sections showed significant differences for the performance of the PIP-retrieved SWE. Table 3 presents the performance of PIP-retrieved SWE in term of absolute bias in percent. The absolute bias is the difference between the PIP-retrieved and stake field-measured SWE divided by stake field-measured SWE multiplied by 100. The level of agreement is given for each  $Re-X$  relationship and the range of the absolute bias represents the agreement among the four different  $D_{mx}(D_{eq})$  relationships. For Event 11, the PIP-retrieved SWE had better agreements with the wind corrected stake field measurements; the best agreement with the absolute bias of 2.4% occurred when SWE was retrieved with the HW method and  $D_{mx} = 1.5 D_{eq}$  (Figure 12).

The PIP-retrieved SWE agreed better with the uncorrected stake field data than the wind corrected stake field data for Event 30 (Figure 13). If the absolute biases  $\leq 15\%$ ,  $10\%$ , and  $5\%$  are considered as good, very good, and excellent agreements, respectively, PIP-retrieved SWE using the BM method had a very good performance with respect to uncorrected stake field record for all  $D_{mx}(D_{eq})$  relationships (Table 3). In fact, three of the  $D_{mx}(D_{eq})$  relationship in the BM method and  $D_{mx} = 1.2D_{eq}$  in the KC method resulted in excellent performance for the PIP-retrieved SWE. It was expected that the PIP-retrieved SWE would have a better agreement with the wind corrected gauge records in windy conditions. Event 30 was moderately windy with higher median and maximum wind speeds than the Event 11. Yet, the PIP-retrieved SWE agreed better with the uncorrected stake field record.

## 7. Overall Comparisons

An overall performance of the PIP-retrieved SWE was evaluated based on its absolute bias with respect the uncorrected and wind corrected stake field records for the 30 events. Additionally, time series of each event were visually inspected to ensure that any agreement at the end of the event was result of cancellation between two disagreements (i.e. the gauge was higher in one segment and PIP was higher in another segment of event). The minimum absolute bias was sought among the four  $D_{mx}(D_{eq})$  relationship based on the PIP-retrieved SWE and stake field record for a given *Re-X* method in each event.

Figures 14 and 15 present the scatter diagrams of PIP-retrieved SWE and stake field totals without and with wind corrections, respectively, when the BM, HW, KC, and MH methods are used. The Pearson correlation coefficient, bias, and absolute bias are included. Considering the uncorrected stake field record as a reference, the  $D_{mx} = 1.2D_{eq}$  relationship had the minimum absolute bias for most of the events when the BM, KC, and MH methods were used (Figure 14). For the HW method, the minimum absolute bias was obtained when  $D_{mx} = 1.5D_{eq}$  was used for most of the events. Overall, the PIP-retrieved SWE was overestimated when BM, KC, and MH methods were used and underestimated when HW method was used. The BM method based PIP-retrieved SWE had the best performance with an absolute bias of 19%, while the absolute biases were 2.4%, 3.5%, and 8.3% higher when the KC, HW, and MH methods were used.

The absolute biases were higher except for the MH method when the wind corrected gauge record was considered as a reference. The MH method based PIP-retrieved SWE had the best performance with absolute bias of 20.7% (Figure 15). Overall, PIP-retrieved SWE was underestimated with respect to the wind corrected gauge record regardless of which of the four method was used. The bias difference between the uncorrected and corrected gauge references was the lowest for the HW method (28.9%) and highest for the MH method (38.2%). In terms of absolute bias difference, however, the HW and KC methods resulted in the maximum (18%) and minimum (2.1%) differences between the two references, respectively.

Figure 18 presents the scatter diagrams of PIP-retrieved SWE and stake field totals without and with wind correction, respectively. In these figures, the PIP-retrieved SWE method that had the best agreement with respect to the reference gauge was chosen. For most of the events, the HW and MH methods resulted in the best agreement with respect to uncorrected and wind corrected gauges, respectively. The agreement was better with respect to the uncorrected gauge totals with an absolute bias of 7.1%. The comparison of PIP-retrieved SWE with either uncorrected or wind corrected stake field records resulted in an excellent agreement with an absolute bias of 2.0%. On event-by-event basis, the PIP-retrieved SWE was in a good agreement,  $\leq 15\%$ , with respect to either uncorrected or wind corrected stake field measurements (Table 3). Realistically, the wind corrected gauge record should be used above a certain wind speed threshold. In this study, 12 out of 30 events had a better agreement when uncorrected gauge record was the reference and half of those events occurred when the median wind speed was moderate ( $3\text{--}6\text{ m s}^{-1}$ ) (Table 3).

## 8. Conclusions

One of main achievements of precipitation related field studies is to collect sufficient samples of data. There are perhaps two common obstacles that may prevent the collection of sufficient data: 1) an unexpected drought and 2) instrument malfunction. During the 2017-18 winter, the PIP functioned nearly uninterrupted collecting 2345.8 mm of geometric DP in 499 hours under frigid weather conditions where the wet-bulb temperature dipped below -20 °C. PIP is a low-cost and robust disdrometer. Considering its continuous and unattended operation, it is expected that PIP would be very useful for operational use as part of the automated surface stations.

This study focused on the methodology for deriving SWE from PIP particle size and fall velocity measurements. The motivation was to construct the validation product for the GPM active and passive sensor-based precipitation estimate in snow. The GPM algorithms also seek an appropriate  $Z_e(\text{SWER})$  relationships for the DPR measurements. This is a challenging task due to the complexity of the physics of a snowflake considering its size, density, habit, composition, and related scattering properties. Despite measurement uncertainties and the assumptions in calculations of snowflake mass, it is remarkable to achieve a very good agreement between the PIP-retrieved and stake field-measured SWE. The absolute bias between the estimate and reference SWE was less than 15% for at least one of the  $\text{Re-X}$  relationship and  $D_{\text{mx}}(D_{\text{eq}})$  pair for all of the 30 events used in this study.

The diversity between the two events and within the different segments of the second event are the evidence of the complex nature of falling snow. The nearly non-stop falling snow over three days with northwesterly wind, the absence of large flakes ( $D_{eq} \geq 5$  mm) in PIP observations, and the shallow ( $< 1.5$  km height) reflectivity in MRR observations were the characteristics of the first event. These features coincided with the 19-20 November 2016 lake-effect snowstorm that was reported in Kulie et al. (2021). The high accumulations with abrupt wind direction change from northeast to northwest, the presence of large flakes in PIP observations, and the combination of deep and shallow MRR reflectivity regimes were the characteristics of the second event. These features coincided with the 10-12 November 2014 lake-enhanced snowstorm that was reported in Kulie et al. (2021).

This study boosts our confidence to derive the  $Ze(SWER)$  relationship using PIP measurements. Perhaps one caveat in PIP measurements is the determination of the habit and composition (i.e. degree of riming) of the individual snowflakes. Collocated PIP and MASC measurement would be beneficial to derive more robust  $Ze(SWER)$  relation for different habits and composition.

## Acknowledgments

Comments from S. Joseph Munchak and Robert Meneghini of NASA Goddard Space Flight Center, Charles (Chip) Helms of Universities Space Research Association, Liang Liao of Morgan State University are highly appreciated. Discussions with Norm Wood of University of Wisconsin-Madison on PIP data processing was very helpful. Leo Pio D'Adderio of National Research Council of Italy provided Figure 1 of this study. Thanks to the National Weather Service in Marquette, Michigan for hosting and maintaining the suite of instruments used in this work and sharing meteorological data. Thanks to the National Aeronautics and Space Administration Goddard Space Flight Center Wallops Flight Facility and the Global Precipitation Measurement (GPM) program for providing the PIP, Pluvio, and Parsivel instruments used in this work. Acknowledgments extend to three anonymous reviewers for their constructive comments. This study is partially supported by the NASA award (80NCCS19M0139) under Patrick N. Gatlin of NASA Marshall Space Flight Center, Principal Investigator. The instrument deployment and data processing for the observations from the Marquette, Michigan snowfall suite are supported by NASA grant number 80NSSC18K0701 and NOAA grant number NA15NES4320001. Claire Pettersen's efforts on this work are supported by NASA grant number 80NSSC19K0712 and Mark Kulie's efforts are supported by NASA PMM grant 80NSSC20K0982. Annakaisa von Lerber is funded by the Academy of Finland postdoctoral scholarship (333901). The scientific results and conclusions, as well as any views or opinions expressed herein, are those of the authors and do not necessarily reflect those of NOAA or the Department of Commerce.

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## Appendix

### A. Descriptors of Particle Size

$D_{eq}$ : Equivalent diameter. It is a Waddel disk diameter that was described as the diameter of the disk with the same area as the particle in National Instruments Image Acquisition (IMAQ) manual, which describes  $D_{eq}$  equal to  $2(\text{area}/\pi)^{0.5}$ , where area is the total area of shadowed pixels bounded by a box.

$D_{min}$ : minimum particle size based on  $D_{eq}$  measurements.

$D_{max}$ : maximum particle size based on  $D_{eq}$  measurements.

$D_{mx}$ : maximum dimension of the particle. It is prescribed as a function of  $D_{eq}$  as in Eq. (5) in this study.

$D_{mass}$ : mass weighted mean diameter.

$D_{mass*}$ : melted value of  $D_{mass}$  as in Liang et al. (2016, Chase et al. (2020).

### B. Size Distribution and Integral Parameters:

$N_T$ : total particle concentration that is given as number of particle per cubic volume of air.

$N_T^*$ : normalized intercept parameter of gamma size distribution. It is the ratio of  $N_T$  to  $D_{mass}$ .

$\mu$ : shape parameter of gamma size distribution.

SR: Snow rate. This is intensity of falling snow without melting.

DP: Snow depth. This accumulative snowfall without melting or compression on the ground.

SWER: melted equivalent snow rate.  
 SWE: melted equivalent of falling snow.  
 RR: rain rate.  
 R: precipitation rate.  
 Ze: radar reflectivity calculated by a disdrometer.

### C. Velocity, Mass and related Parameters

$v$ : fall velocity of a snowflake.  
 $a_v$ : coefficient of the  $v(D_{mx})$  power-law relationship.  
 $b_v$ : exponent of the  $v(D_{mx})$  power-law relationship.  
 $m$ : mass of a snowflake.  
 $a_m$ : coefficient of the  $m(D_{mx})$  power-law relationship.  
 $b_m$ : exponent of the  $m(D_{mx})$  power-law relationship.  
 Re: Reynolds number.  
 $\eta$ : Dynamic viscosity  
 $\rho_a$ : Density of air at the ground level.  
 X: Best number.  
 $\delta_0$ : boundary layer thickness.  
 $C_0$ : drag coefficient.  
 $g$ : gravitational constant.  
 $A_e$ : effective particle area.  
 A: the area of the smallest circle or ellipse which contains  $A_e$ .

758 D. Environmental Variables:  
759  
760  
761  $WSP_{med}$ : Median wind speed.  
762  
763  $WSP_{max}$ : Maximum wind speed.  
764  
765  $WB_{med}$ : Median wet-bulb temperature.  
766  
767  $WB_{max}$ : Maximum wet-bulb temperature.  
768  
769  $U$ : 30-minute surface average wind speed.  
770  
771  $T_a$ : 30-minute average surface air temperature.  
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969 Table 1. The list of the snow events. The columns are the event identification number, event  
 970 date including year (YYYY), month (MM), and day (DD), event start and end Day of Year (DOY)  
 971 and hour (HH) in UTC, number of snow minutes, PIP snow depth, and median, minimum, and  
 972 maximum values of wet-bulb temperature and wind speed.

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Event ID	Event Date YYYY/MM/DD	Start DOY-HH	End DOY-HH	# of min.	PIP DP (mm)	Wet-bulb (°C) median, min, max	Wind Sp. (m s <sup>-1</sup> ) median, min, max
01	2017/12/06-07	340-11	341-14	916	36.25	-9.1, -10.6, -8.1	5.1, 1.8, 8.5
02	2017/12/08-10	342-01	344-00	1434	84.23	-9.7, -12.3, -8.0	2.9, 0.4, 6.2
03	2017/12/10-11	344-14	345-01	410	21.03	-9.8, -11.7, -7.6	3.0, 1.3, 4.9
04	2017/12/11-13	345-13	347-00	1479	91.81	-11.3, -14.2, -5.6	4.2, 1.8, 8.0
05	2017/12/13-16	347-11	350-02	1976	122.54	-10.5, -13.9, -8.4	2.4, 0.4, 4.5
06	2017/12/16	350-11	350-14	92	4.68	-16.1, -20.0, -21.6	0.9, 0.4, 1.3
07	2017/12/17-18	351-11	352-04	193	3.83	-4.5, -4.8, -4.3	2.5, 1.8, 3.6
08	2017/12/19-22	353-01	356-00	1611	60.65	-6.4, -11.2, 0.0	3.6, 0.4, 10.7
09	2017/12/23	357-07	357-22	360	10.23	-9.9, -11.3, -8.3	3.7, 1.8, 6.7
10	2017/12/28-29	362-18	363-10	650	5.16	-16.4, -19.2, -14.5	1.7, 0.4, 3.1
11	2018/01/03-06	003-13	006-15	3765	104.29	-17.0, -19.1, -12.7	3.5, 1.8, 6.7
12	2018/01/07	007-07	007-15	170	4.59	-13.2, -14.9, -10.9	4.9, 3.1, 7.1
13	2018/01/11-12	011-18	012-22	1446	77.13	-12.4, -17.0, 0.5	4.8, 0.4, 5.4
14	2018/01/15-16	015-02	016-23	2070	159.87	-10.2, -14.4, -7.1	1.7, 0.4, 5.4
15	2018/01/22-23	022-08	023-23	1326	239.17	-5.2, -9.9, -2.4	3.9, 1.3, 6.7
16	2018/01/31	031-01	031-14	270	27.27	-7.2, -11.0, -5.8	4.8, 3.1, 8.9
17	2018/02/01-02	032-05	033-00	495	8.42	-16.4, 18.5, 10.3	5.3, 3.1, 8.5
18	2018/02/03-04	034-01	035-10	1146	25.95	-15.2, -17.5, -12.4	2.1, 0.4, 5.3
19	2018/02/19-20	050-15	051-18	828	50.99	-7.1, -8.2, -6.0	3.5, 1.8, 5.3
20	2018/02/24	054-05	054-15	410	67.50	-5.0, -5.5, -3.1	1.2, 0.4, 3.1
21	2018/02/26	056-04	056-18	363	70.77	-3.0, -4.4, -1.9	4.9, 1.3, 11.2
22	2018/02/28	059-05	059-08	124	19.48	-1.7, -2.3, -1.1	0.4, 0.4, 0.9
23	2018/03/06-07	065-18	066-23	1588	231.87	-7.6, -9.4, -4.7	3.2, 1.3, 5.8
24	2018/03/12-14	071-01	073-00	1485	99.04	-5.7, -9.6, -2.1	3.6, 0.4, 6.2
25	2018/03/30-31	089-17	090-17	805	105.29	-6.7, -8.4, -4.4	1.4, 0.4, 3.6
26	2018/04/01	091-06	091-12	270	14.47	-11.9, -14.7, -11.2	1.7, 0.9, 2.7
27	2018/04/04	094-02	094-13	358	12.43	-7.5, -8.3, -6.8	3.9, 2.2, 6.2
28	2018/03/05-06	095-08	096-21	431	21.17	-6.5, -11.3, -2.7	3.5, 0.4, 8.9
29	2018/03/12	102-08	102-16	424	110.66	-1.2, -2.0, 1.3	0.9, 0.4, 2.7
30	2018/03/15-18	105-10	108-00	3045	455.00	-5.6, -7.2, -3.3	4.8, 1.8, 8.5

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Table 2. The minimum, median, mean, and maximum values of total concentration ( $N_T$ ), mass-weighted mean diameter ( $D_{\text{mass}}$ ), maximum particle diameter ( $D_{\text{max}}$ ), and the shape parameter of the gamma fitted distribution ( $\mu$ ) for Event 11 and 30.

SSD parameters	minimum	median	mean	maximum
$N_T$ ( $\text{m}^{-3}$ )	105; 44	1932; 1306	2705; 3959	13828; 28205
$D_{\text{mass}}$ (mm)	0.63; 0.80	0.92; 2.18	0.96; 2.61	2.47; 9.86
$D_{\text{max}}$ (mm)	0.90; 1.10	1.90; 3.90	1.95; 4.25	4.70; 12.90
$\mu$	0.2; -2.2	2.8; 1.1	3.1; 1.4	9.8; 20.0

984 Table 3. Performance of PIP-retrieved SWE with respect to uncorrected (first row) and wind  
 985 corrected (second row) stake field measurements. The absolute bias (abs\_bias) is given for  
 986 the range based on  $D_{mx}(D_{eq})$  relationships for  $X-Re$  relationships. The event lowest absolute  
 987 bias is shown in bold. The rows for the two events (#11 and #30) discussed in detail were  
 988 shaded in gray.

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Event #	abs_bias % (BM)	abs_bias % (HW)	abs_bias % (KC)	abs_bias % (MH)
01	106.0-145.8 29.0-53.9	77.5-84.5 <b>11.2</b> -15.5	128.1-176.9 42.8-73.4	147.7-202.6 55.1-89.5
02	28.1-43.4 1.0-9.4	7.7-12.3 20.6-23.9	40.6-60.2 <b>0.6</b> -13.3	52.5-74.9 7.8-23.6
03	53.6-79.9 <b>6.7</b> -25.0	30.9-34.2 6.7-9.0	71.2-100.5 85.7-119.2	85.7-119.2 29.0-52.3
04	101.8-128.3 5.4-19.3	72.3-86.0 <b>2.8</b> -10.0	119.7-152.7 14.8-32.0	136.3-176.4 23.4-44.4
05	32.5-48.1 <b>0.1</b> -11.9	12.2-18.9 9.0-15.2	44.2-63.7 9.0-23.6	55.4-77.9 17.4-34.4
06	1.0-12.7 8.6-19.5	22.7-25.6 28.7-31.4	2.8-11.1 0.0-11.5	3.7-21.0 2.7-11.7
07	<b>0.5</b> -9.1 17.4-23.8	8.4-18.9 30.6-38.6	7.8-15.9 12.2-18.4	14.8-23.8 6.2-13.0
08	37.1-56.2 <b>2.9</b> -8.8	17.4-23.1 14.3-18.2	49.6-71.5 4.2-19.4	61.3-86.1 12.3-29.6
09	46.3-66.2 10.3-18.1	19.5-36.1 <b>3.3</b> -15.1	71.1-81.5 21.5-28.9	84.0-98.7 30.7-41.1
10	61.3-78.8 40.1-55.3	33.3-58.4 15.0-37.6	66.5-86.3 44.6-61.8	75.8-97.4 52.7-71.5
11	<i>81.3 - 104.1</i> <i>21.2 - 36.6</i>	<i>53.1 - 74.7</i> <b><i>2.4</i></b> - 16.9	<i>89.5-116.5</i> <i>26.8-37.7</i>	<i>100.9-130.2</i> <i>34.4-54.0</i>
12	10.3-18.0 38.3-45.0	27.4-31.8 51.4-54.3	<b>0.4</b> -9.6 32.7-39.4	2.8-8.6 27.2-35.0
13	<b>1.0</b> -7.4 37.3-44.7	17.1-23.4 50.4-54.2	1.0-12.8 32.0-39.6	9.0-23.3 26.3-34.9
14	2.0-7.4 10.3-19.9	16.1-20.8 27.4-31.5	0.4-14.3 1.1-13.2	8.3-24.3 <b>0.3</b> -7.6
15	26.0-36.3 12.8-19.4	1.9-7.8 31.0-37.2	40.0-52.7 2.3-10.4	51.9-66.5 <b>1.8</b> -6.6
16	23.6-38.7 15.9-25.1	4.2-13.6 31.1-41.9	32.0-48.3 10.1-20.0	41.4-59.2 <b>3.5</b> -14.3
17	9.8-27.1	<b>2.7</b> -8.0	15.6-32.5	22.6-41.0

	30.7-40.1	42.5-49.9	27.7-37.0	23.1-33.2
18	22.4-36.8 <b>1.0</b> -6.7	4.9-17.3 10.6-20.0	27.9-45.0 2.5-6.7	35.6-54.1 3.4-17.5
19	6.6-11.1 37.5-40.6	24.4-32.2 49.5-54.7	<b>1.0</b> -6.6 28.7-33.8	7.9-16.8 21.9-27.8
20	16.8-20.7 27.0-30.7	32.3-41.4 40.6-48.6	6.7-12.5 18.1-23.2	<b>0.9</b> -4.6 10.3-16.2
21	30.5-35.3 46.4-50.1	45.3-51.4 57.8-62.6	21.6-27.7 39.6-44.3	<b>13.3</b> -20.3 33.2-38.6
22	32.6-41.5 33.7-42.5	53.1-53.5 53.9-54.2	21.1-32.0 22.4-33.1	<b>9.9</b> -24.0 11.4-25.3
23	6.3-18.4 33.2-41.8	30.1-31.8 50.1-51.4	2.4-8.3 23.7-34.6	<b>0.6</b> -18.5 15.5-28.3
24	33.8-53.4 <b>1.5</b> -13.0	13.3-17.1 13.8-16.6	49.0-74.0 9.8-28.1	62.4-91.4 19.6-41.0
25	19.7-28.4 35.6-42.5	35.8-39.3 48.5-51.2	10.2-15.7 28.0-37.0	<b>2.4</b> -15.4 21.7-32.1
26	1.1-8.8 14.8-24.0	15.7-20.1 29.7-33.4	3.0-20.1 8.1-13.7	3.6-18.7 <b>1.0</b> -13.7
27	24.7-41.6 11.1-21.7	8.2-18.7 25.5-32.1	32.7-53.9 3.4-11.5	41.3-64.6 <b>1.1</b> -11.3
28	58.8-229.8 23.6-156.7	30.6-48.0 <b>1.7</b> -15.2	69.6-86.0 32.0-44.8	81.7-106.5 41.4-55.2
29	18.0-26.4 23.0-30.9	39.1-40.6 42.8-44.2	6.2-16.8 11.9-21.9	<b>0.3</b> -8.8 2.6-14.3
30	<b>1.4</b> -6.2 43.5-48.6	18.0-26.5 55.0-59.7	3.3-15.3 36.8-43.4	11.8-21.6 31.4-38.7

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Figure Captions:

Figure 1. Marquette, Michigan (MQT) snowfall observatory data acquisition network. The master site includes the Precipitation Imaging Package (PIP), Pluvio<sup>2</sup> 200 weighing bucket gauge (PL09), complete weather station (WS) and NWS stake field, Micro Rain Radar (MRR), and Autonomous PARSIVEL<sup>2</sup> disdrometer Unit (APU). The NWS Marquette radar site (KMQT) with 10 km and 20 km ranges, nine Pluvio<sup>2</sup> 200/400 gauges sites, and NWS Sawyer Airport and private weather station sites are also shown.

Figure 2. The NWS surface analysis for 1500 UTC on January 3, 2018 (top), 1500 UTC on January 5, 2018 (bottom).

Figure 3. Time series of a) air temperature and wet-bulb temperature, and b) wind direction and speed observations from the weather station at the master site for Event 11.

Figure 4. Times series of a) equivalent reflectivity (Ze) and b) Doppler velocity (W) from Micro Rain Radar at the master site for Event 11.

Figure 5. The NWS surface analysis for 1200 UTC on April 15, 2018 (top), b) 1500 UTC on April 16, 2018 (bottom).

Figure 6. Time series of a) air temperature and wet-bulb, and b) wind direction and speed observations from the weather station at the master site for Event #30.

1016  
1017 Figure 7. Times series of a) equivalent reflectivity ( $Z_e$ ) and b) Doppler velocity ( $W$ ) from  
1018 Micro Rain Radar at the master site for Event 30.

1019  
1020 Figure 8. Comparison of Pluvio<sup>2</sup> 200 weighing bucket gauge (PL09) and NWS stake field  
1021 snow water equivalent event totals as a function of a) median wind speed (WSP), b)  
1022 maximum wind speed, c) median wet-bulb (WB) temperature, and d) maximum wet-bulb  
1023 temperature.

1024  
1025 Figure 9. Time series of snowflake size distribution for a) Event 11, and b) Event 30.

1026  
1027 Figure 10. Time series of a) coefficient ( $a_v$ ) of the  $v(D_{mx})$  relationships for Event 11 when PIP  
1028 maximum particle dimension is equal to  $1.2D_{eq}$ ,  $1.3D_{eq}$ ,  $14.D_{eq}$ , and  $15.D_{eq}$ , b) coefficient ( $a_m$ )  
1029 of the  $m(D_{mx})$  relationship for event #30 when PIP mass estimate is based on BM, HW, KC,  
1030 and MH methods when  $D_{mx} = 1.4 D_{eq}$ .

1031  
1032 Figure 11. Time series of a) coefficient ( $a_v$ ) of the  $v(D_{mx})$  relationships for Event #30 when  
1033 PIP maximum particle dimension is equal to  $1.2D_{eq}$ ,  $1.3D_{eq}$ ,  $14.D_{eq}$ , and  $15.D_{eq}$ , b) coefficient  
1034 ( $a_m$ ) of the  $m(D_{mx})$  relationship for event #30 when PIP mass estimate is based on BM, HW,  
1035 KC, and MH methods when  $D_{mx} = 1.4D_{eq}$ .

1036  
1037 Figure 12. Time series of accumulative snow water equivalent (SWE) for Event 11, for  
1038 uncorrected and wind corrected NWS snow stake field observations and for a) BM, b) HW, c)

1039 KC, and d) MH method-based PIP calculations and when PIP maximum dimension is equal to  
1040  $1.2D_{eq}$  and  $1.5D_{eq}$ .

1041  
1042 Figure 13. Time series of accumulative Snow Water Equivalent (SWE) for Event 30, for  
1043 uncorrected and wind corrected NWS snow stake field observations and for a) BM, b) HW, c)  
1044 KC, and d) MH method-based PIP calculations and when PIP maximum dimension is equal to  
1045  $1.2D_{eq}$  and  $1.5D_{eq}$ .

1046  
1047 Figure 14. Comparison of PIP-retrieved and NWS stake field measured (without wind  
1048 correction) Snow Water Equivalent (SWE) event totals for a) BM, b) HW, c) KC, and d) MH  
1049 method-based PIP calculations and for the best agreement among the four PIP  $D_{mx}(D_{eq})$   
1050 relationships ( $1.2D_{eq}$ ,  $1.3D_{eq}$ ,  $1.4D_{eq}$ , and  $1.5D_{eq}$ ). The correlation coefficient (cc), and bias  
1051 and absolute bias between the two estimated and observed variables are also in given.

1052  
1053 Figure 15. Comparison of PIP-retrieved and NWS stake field measured (with wind  
1054 correction) Snow Water Equivalent (SWE) event totals for a) BM, b) HW, c) KC, and d) MH  
1055 method-based PIP calculations and for the best agreement among the four PIP  $D_{mx}(D_{eq})$   
1056 relationships ( $1.2D_{eq}$ ,  $1.3D_{eq}$ ,  $1.4D_{eq}$ , and  $1.5D_{eq}$ ). The correlation coefficient (cc), and bias  
1057 and absolute bias between the two estimated and observed variables are also in given.

1058  
1059 Figure 16. Comparison of PIP-retrieved and NWS snow stake field measured Snow Water  
1060 Equivalent (SWE) event totals a) without wind correction, b) with wind correction , c)  
1061 with/out wind correction for the best agreement among the four PIP mass estimation

1062 methods (BM, HW, KC, and MH) and the four PIP  $D_{mx}(D_{eq})$  relationships ( $1.2D_{eq}$ ,  $1.3D_{eq}$ ,  
1063  $1.4D_{eq}$ , and  $1.5D_{eq}$ , not shown). The correlation coefficient (cc), and bias and absolute bias  
1064 between the two estimated and observed variables are also in given.

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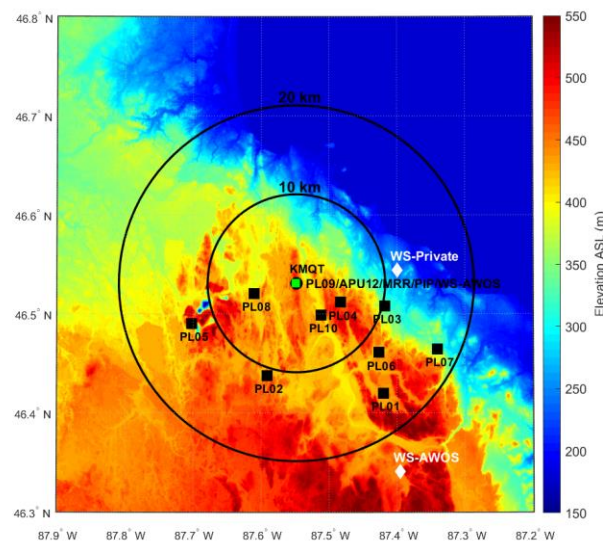


Figure 1. Marquette, Michigan (MQT) snowfall observatory data acquisition network. The master site includes the Precipitation Imaging Package (PIP), Pluvio<sup>2</sup> 200 weighing bucket gauge (PL09), complete weather station (WS) and NWS stick gauge, Micro Rain Radar (MRR), and Autonomous PARSIVEL<sup>2</sup> disdrometer Unit (APU). The NWS Marquette radar site (KMQT) with 10 km and 20 km ranges, nine Pluvio<sup>2</sup> 200/400 gauges sites, and NWS Sawyer Airport and private weather station sites are also shown.

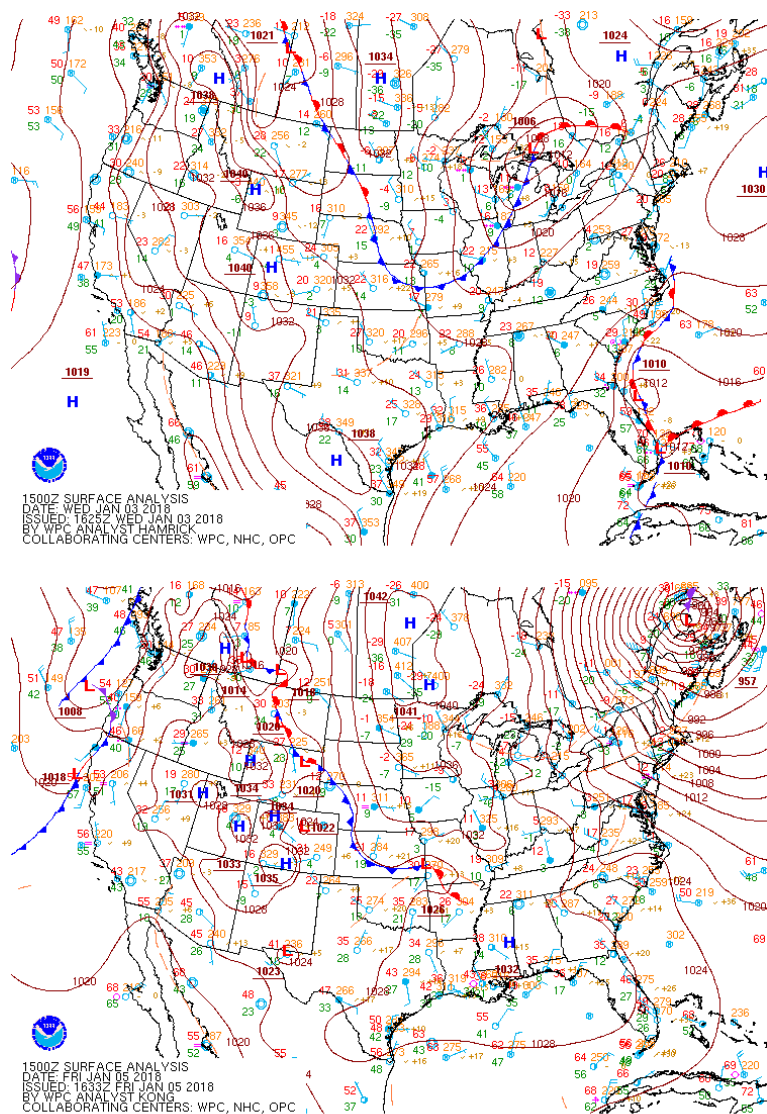


Figure 2. The NWS surface analysis for 1500 UTC on January 3, 2018 (top), 1500 UTC on January 5, 2018 (bottom).

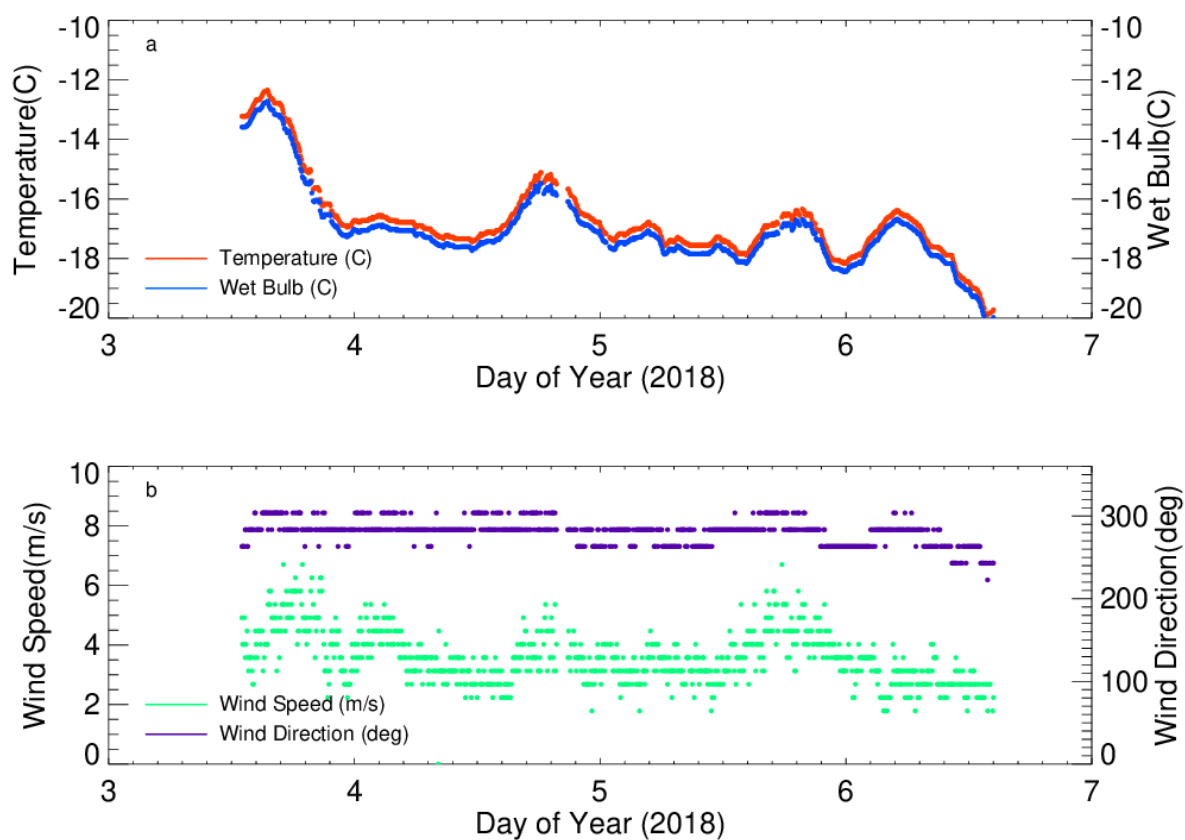


Figure 3. Time series of a) air temperature and wet-bulb temperature, and b) wind direction and speed observations from weather station at the master site for Event 11.

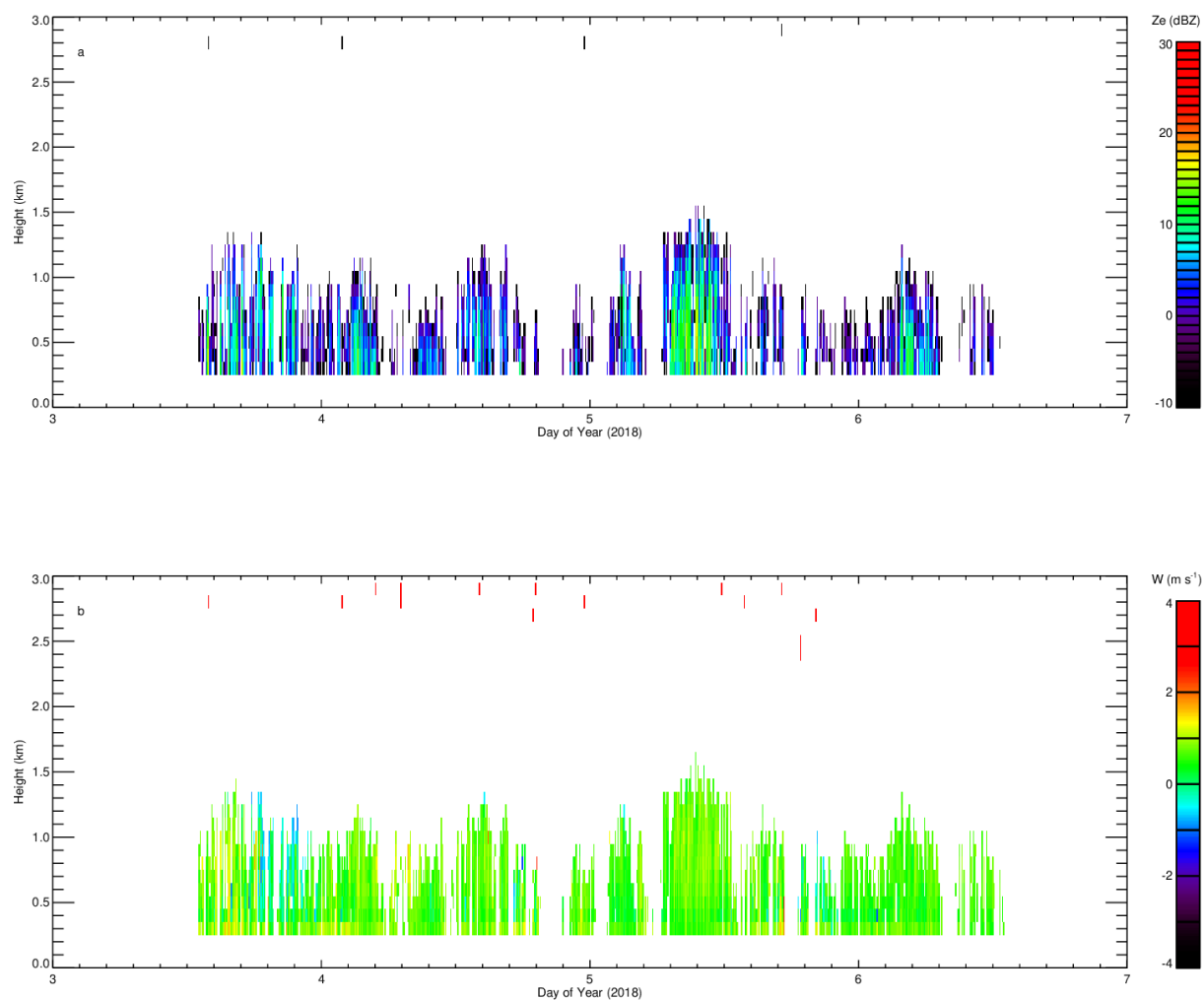


Figure 4. Times series of a) equivalent reflectivity ( $Z_e$ ) and b) Doppler velocity ( $W$ ) from Micro Rain Radar at the master site for Event 11.



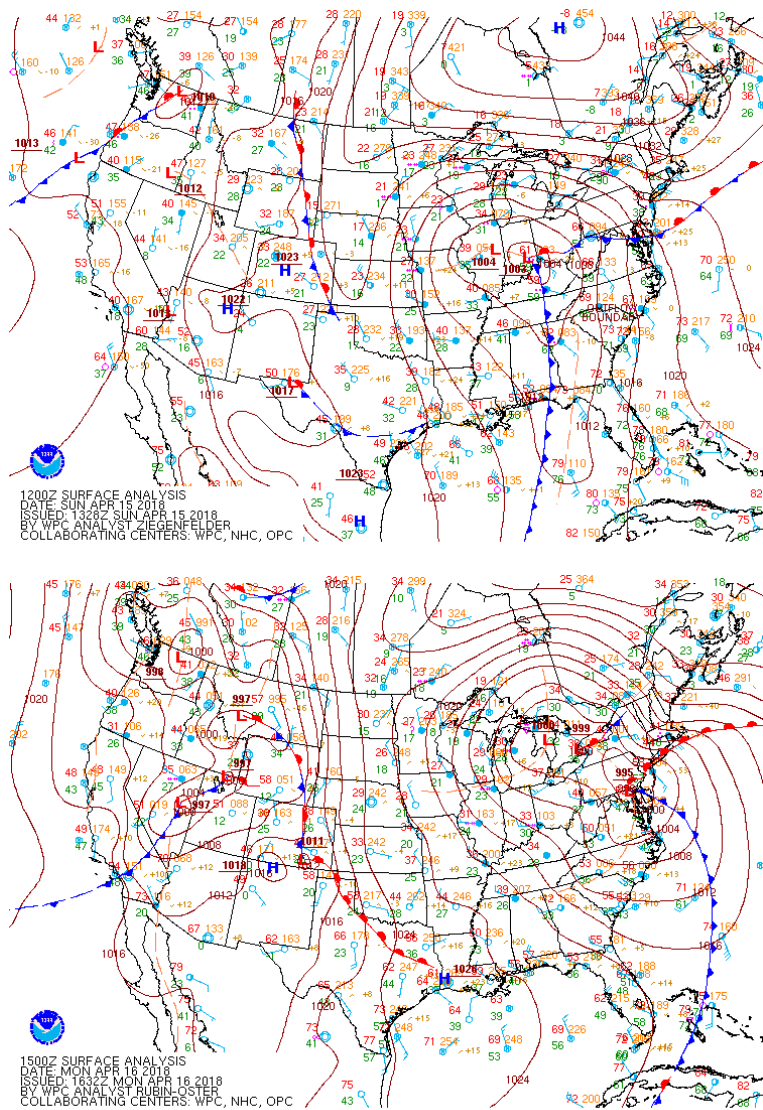


Figure 5. The NWS surface analysis for 1200 UTC on April 15, 2018 (top), 1500 UTC on April 16, 2018 (bottom).

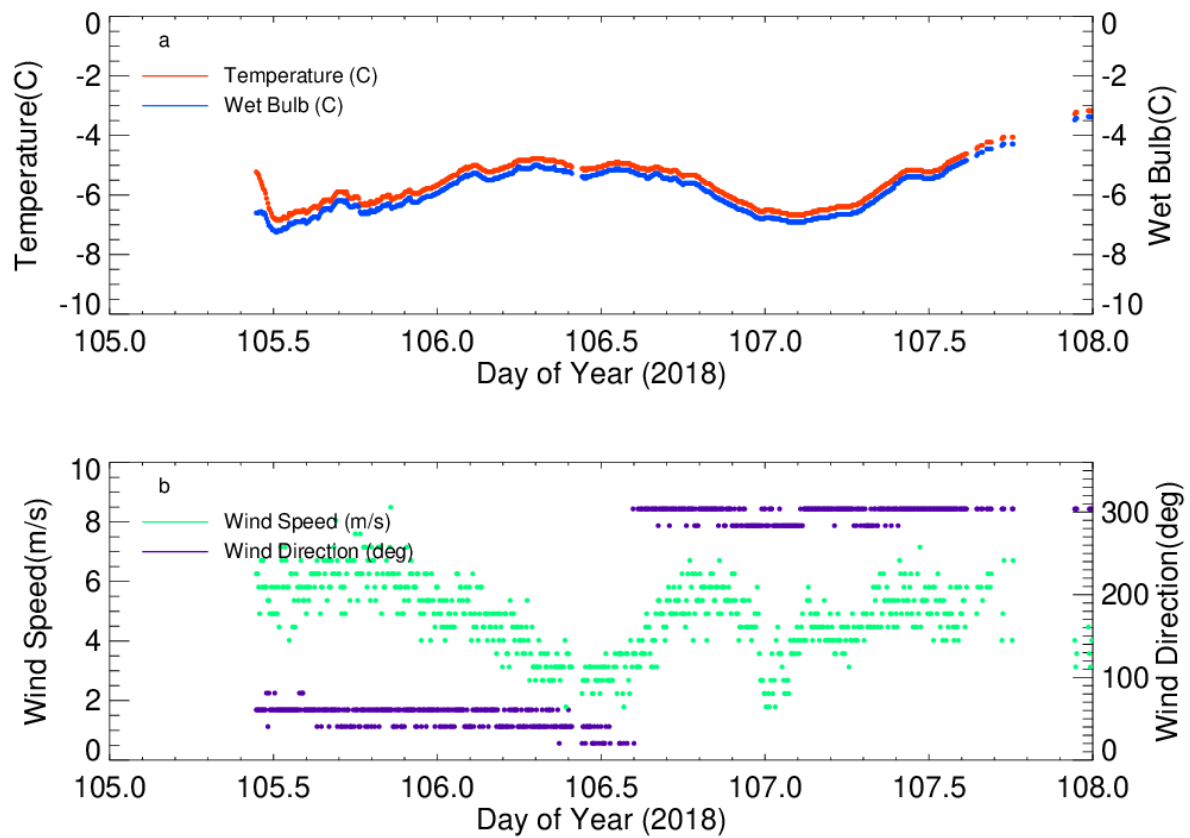


Figure 6. Time series of a) air temperature and wet-bulb temperature, and b) wind direction and speed observations from weather station at the master site for Event 30.

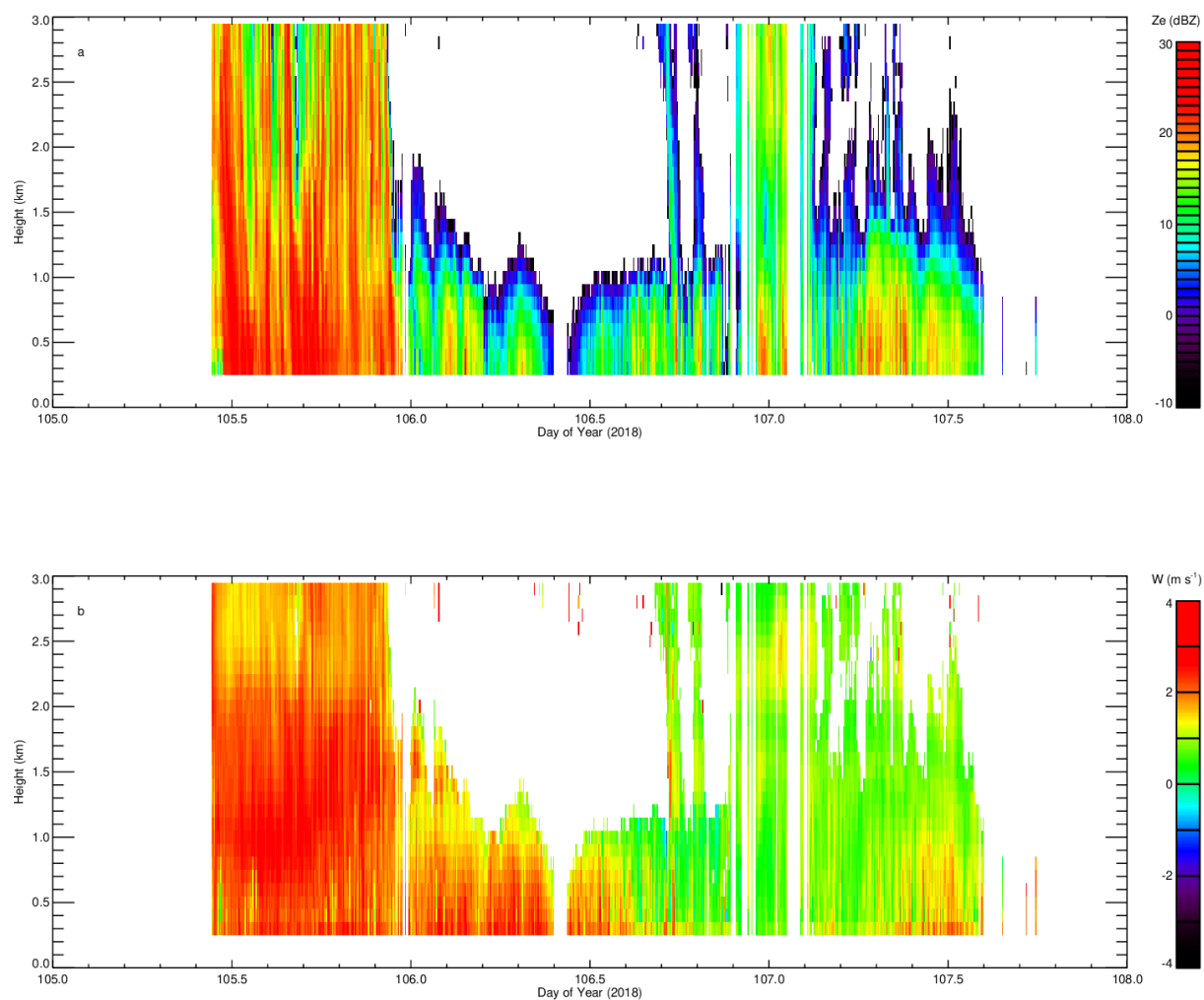


Figure 7. Times series of a) equivalent reflectivity ( $Z_e$ ) and b) Doppler velocity ( $W$ ) from Micro Rain Radar at the master site for Event 30.

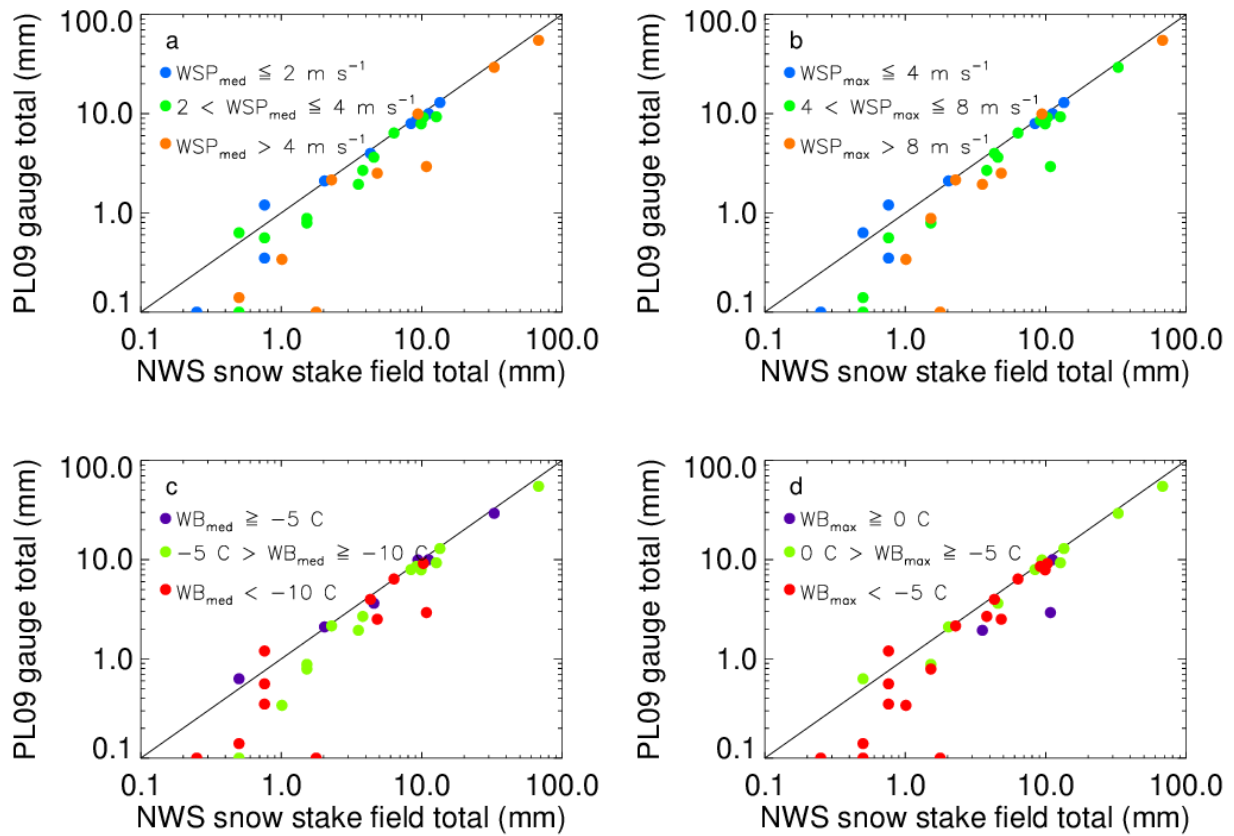


Figure 8. Comparison of Pluvio<sup>2</sup> 200 weighing bucket gauge (PL09) and NWS snow stake field snow water equivalent totals as a function of a) event median wind speed (WSP), b) event maximum wind speed, c) event median wet-bulb (WB) temperature, and d) event maximum wet-bulb temperature.

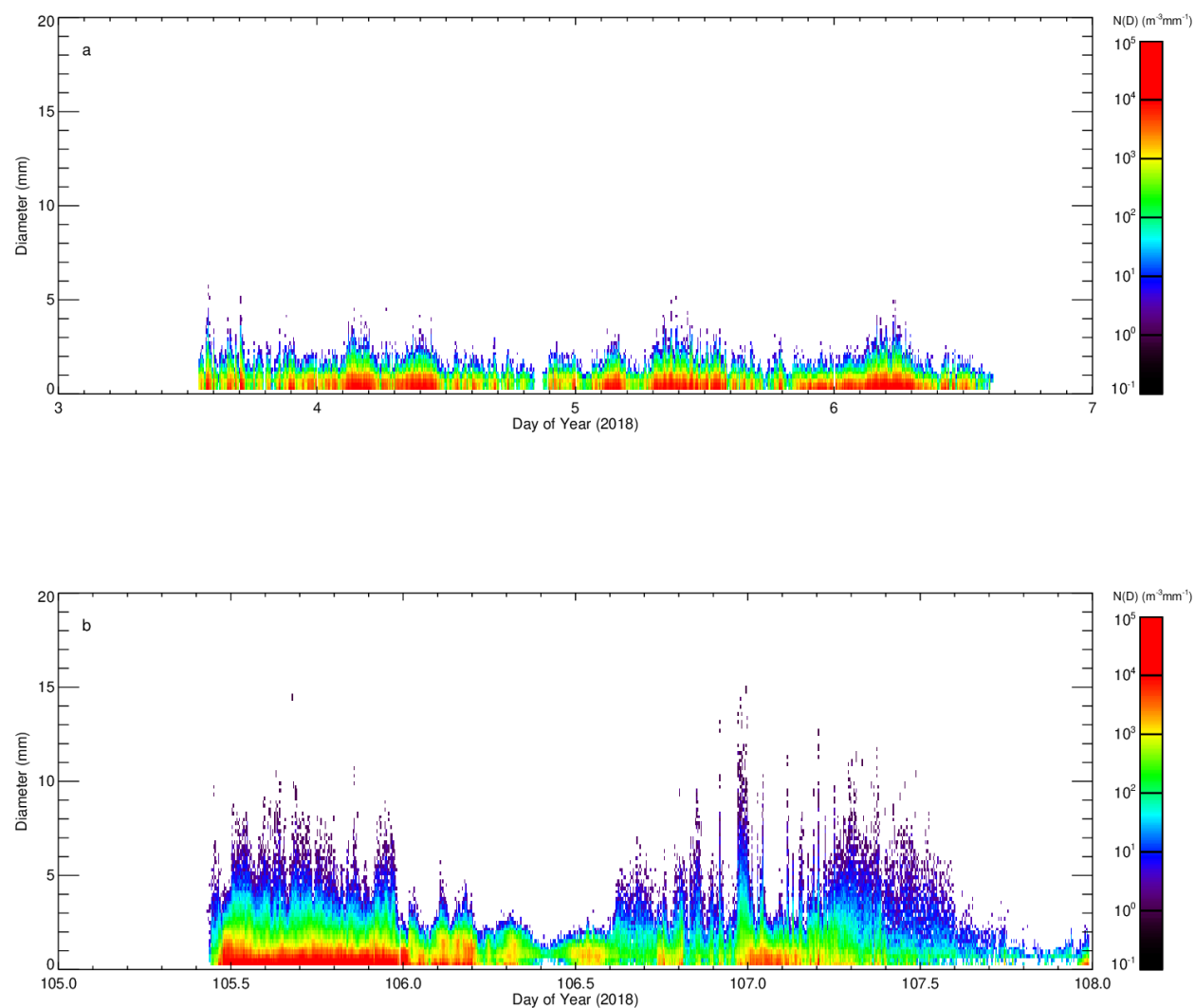


Figure 9. Time series of snowflake size distribution for a) Event 11, and b) Event 30.

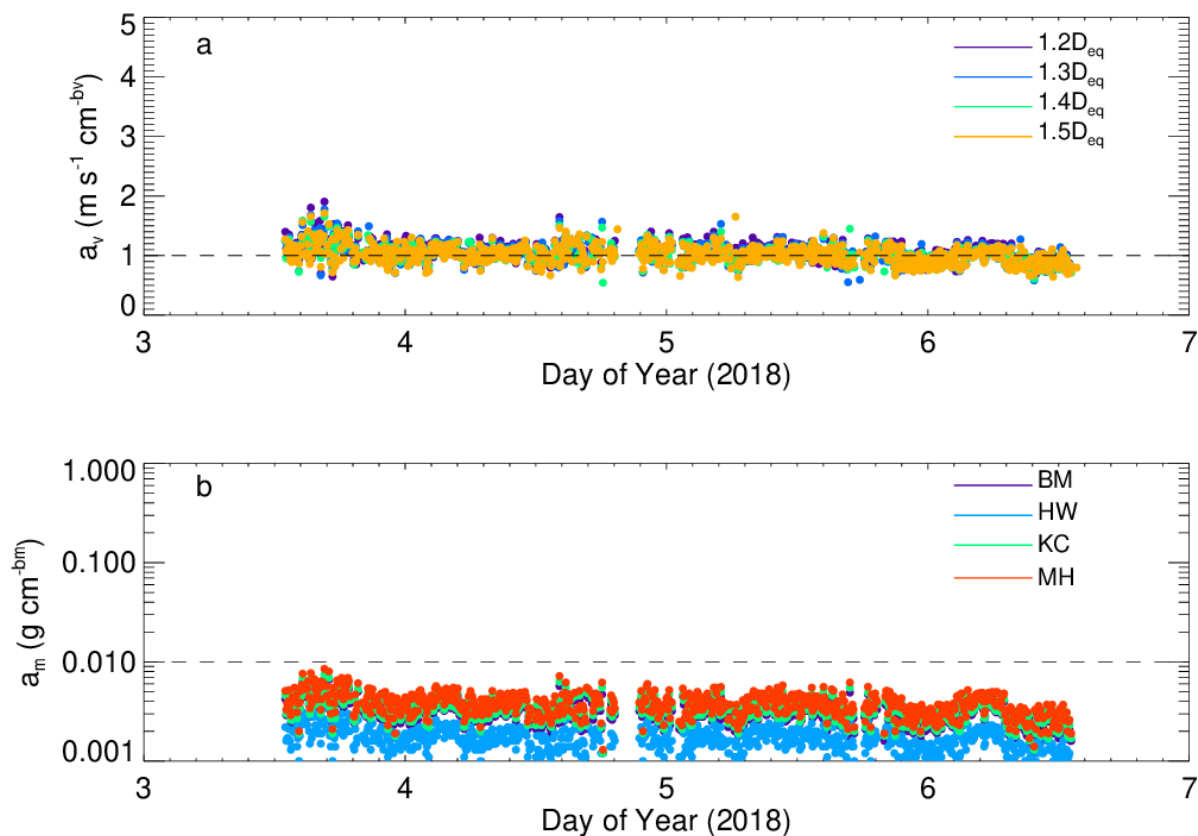


Figure 10. Time series of a) coefficient ( $a_v$ ) of the  $v(D_{mx})$  relationships for Event 11 when PIP maximum particle dimension is equal to  $1.2D_{eq}$ ,  $1.3D_{eq}$ ,  $1.4D_{eq}$ , and  $1.5D_{eq}$ , b) coefficient ( $a_m$ ) of the  $m(D_{mx})$  relationship for event #30 when PIP mass estimate is based on BM, HW, KC, and MH methods when  $D_{mx} = 1.4 D_{eq}$ .

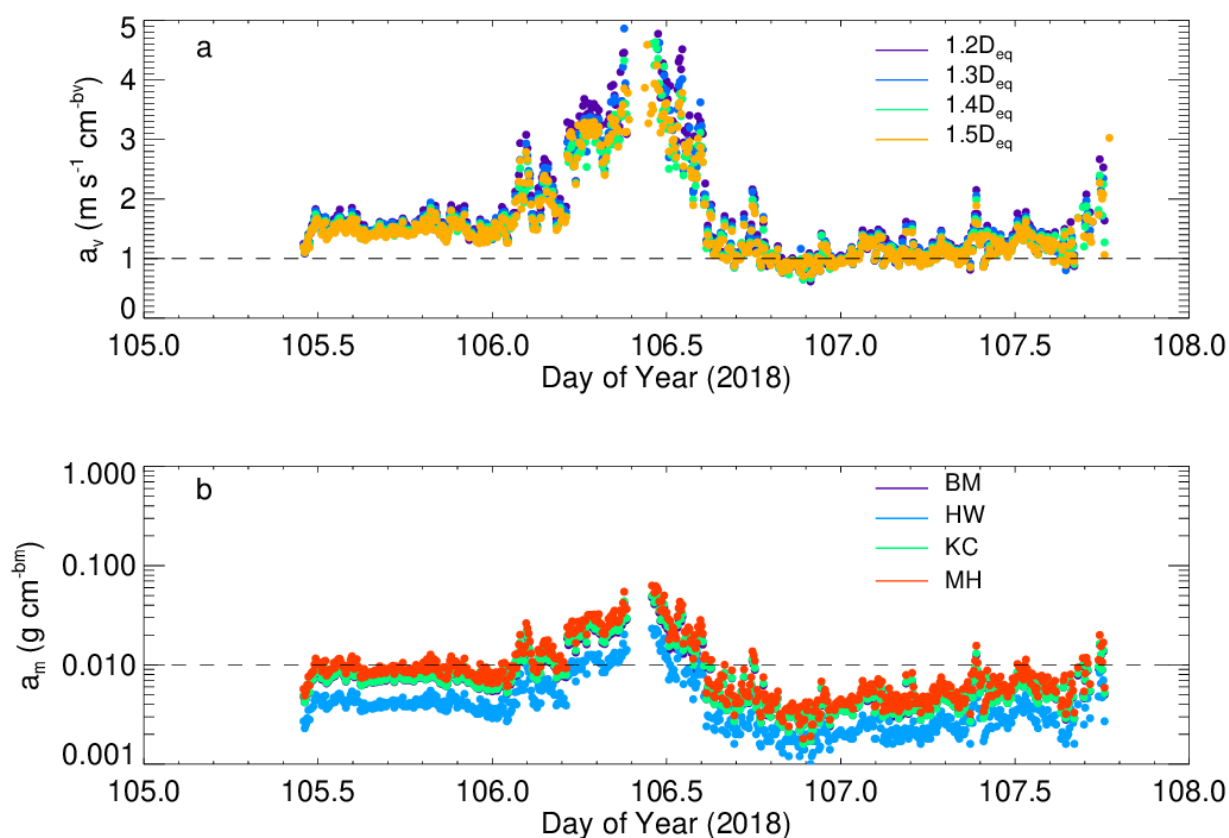


Figure 11. Time series of a) coefficient ( $a_v$ ) of the  $v(D_{mx})$  relationships for Event 30 when PIP maximum particle dimension is equal to  $1.2D_{eq}$ ,  $1.3D_{eq}$ ,  $1.4D_{eq}$ , and  $1.5D_{eq}$ , b) coefficient ( $a_m$ ) of the  $m(D_{mx})$  relationship for event #30 when PIP mass estimate is based on BM, HW, KC, and MH methods when  $D_{mx} = 1.4D_{eq}$ .

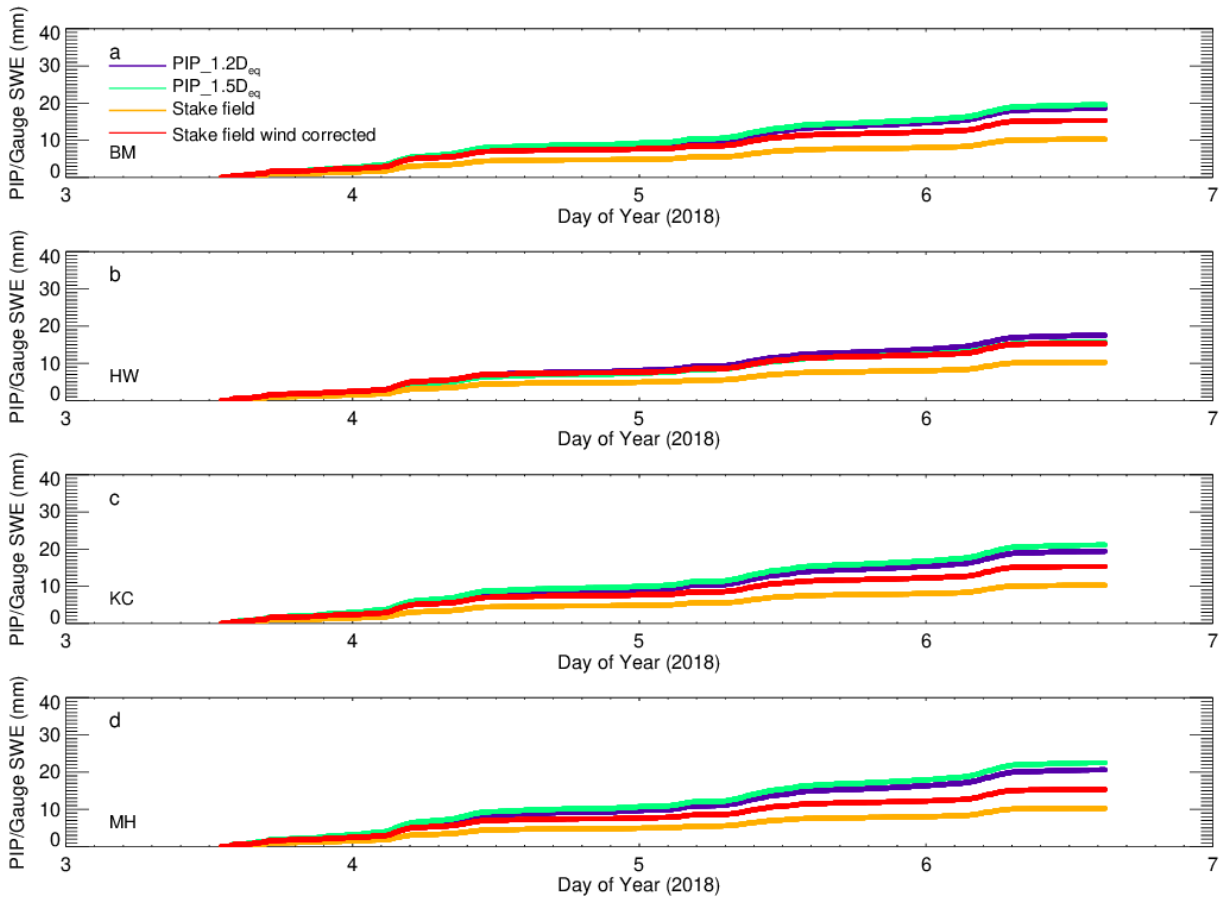


Figure 12. Time series of accumulative snow water equivalent (SWE) for Event 11, for uncorrected and wind corrected NWS snow stake field observations and for a) BM, b) HW, c) KC, and d) MH method-based PIP calculations and when PIP maximum dimension is equal to  $1.2D_{eq}$  and  $1.5D_{eq}$ .



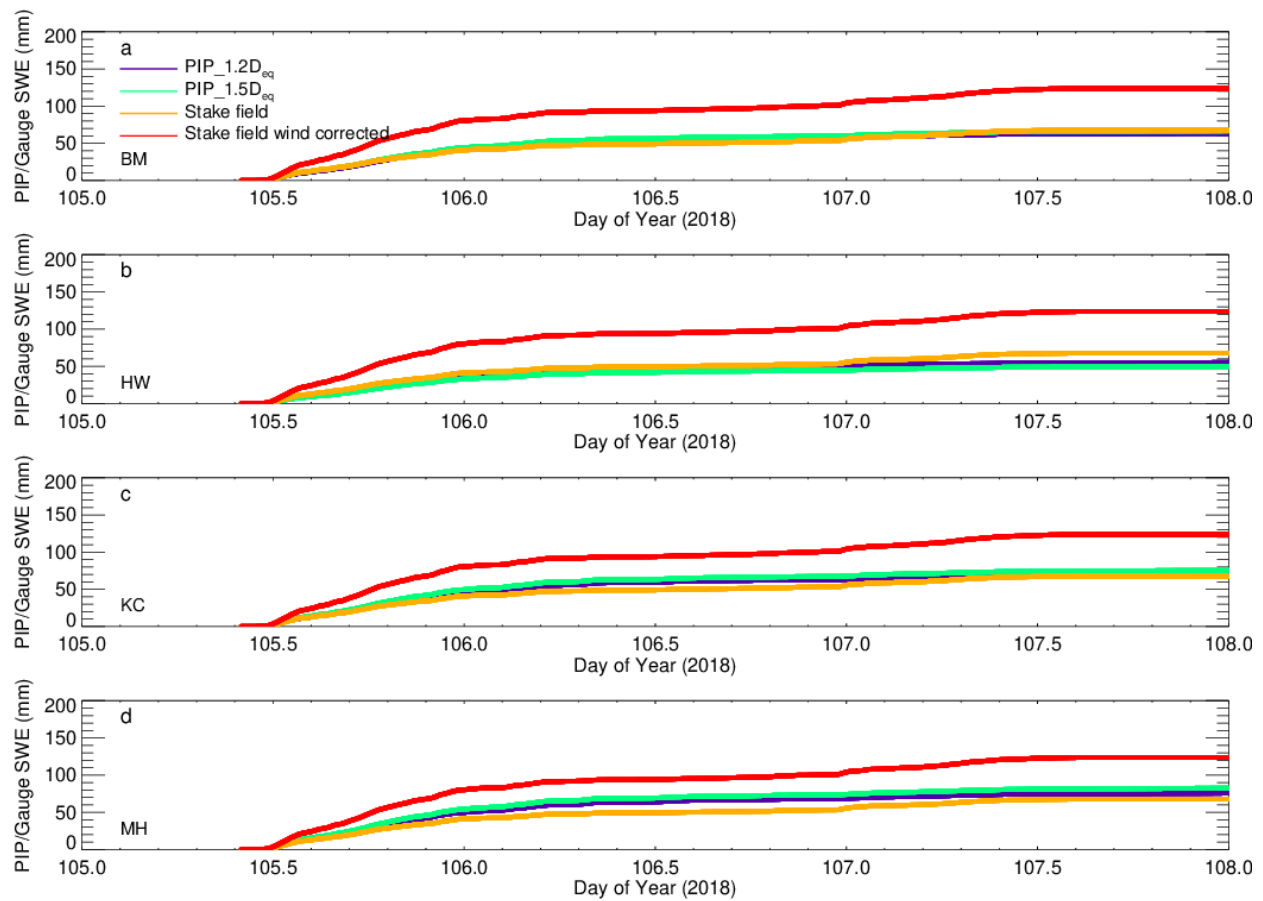


Figure 13. Time series of accumulative Snow Water Equivalent (SWE) for Event 30, for uncorrected and wind corrected NWS snow stake field observations and for a) BM, b) HW, c) KC, and d) MH method-based PIP calculations and when PIP maximum dimension is equal to  $1.2D_{eq}$  and  $1.5D_{eq}$ .

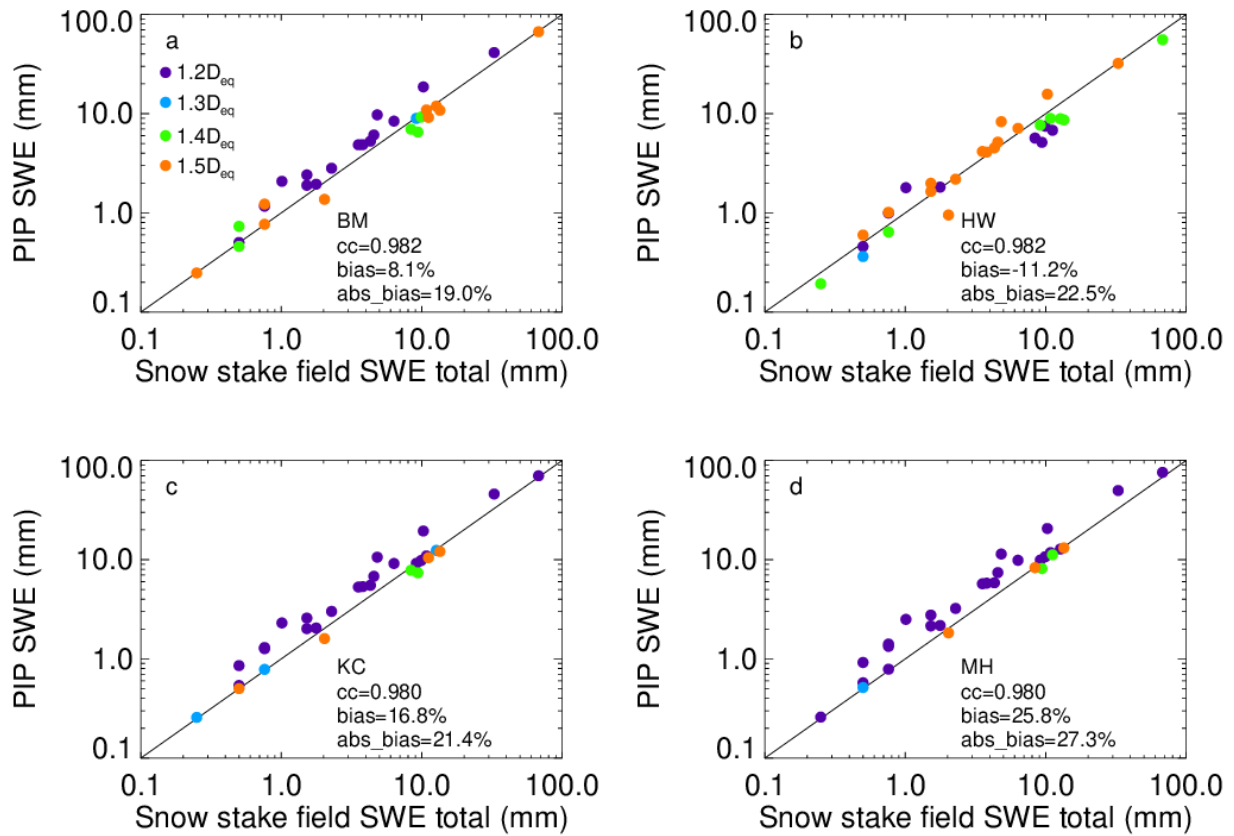


Figure 14. Comparison of PIP-estimated and NWS snow stake field measured (without wind correction) Snow Water Equivalent (SWE) event totals for a) BM, b) HW, c) KC, and d) MH method-based PIP calculations and for the best agreement among the four PIP  $D_{mx}(D_{eq})$  relationships ( $1.2D_{eq}$ ,  $1.3D_{eq}$ ,  $1.4D_{eq}$ , and  $1.5D_{eq}$ ). The correlation coefficient (cc), and bias and absolute bias between the two estimated and observed variables are also in given.

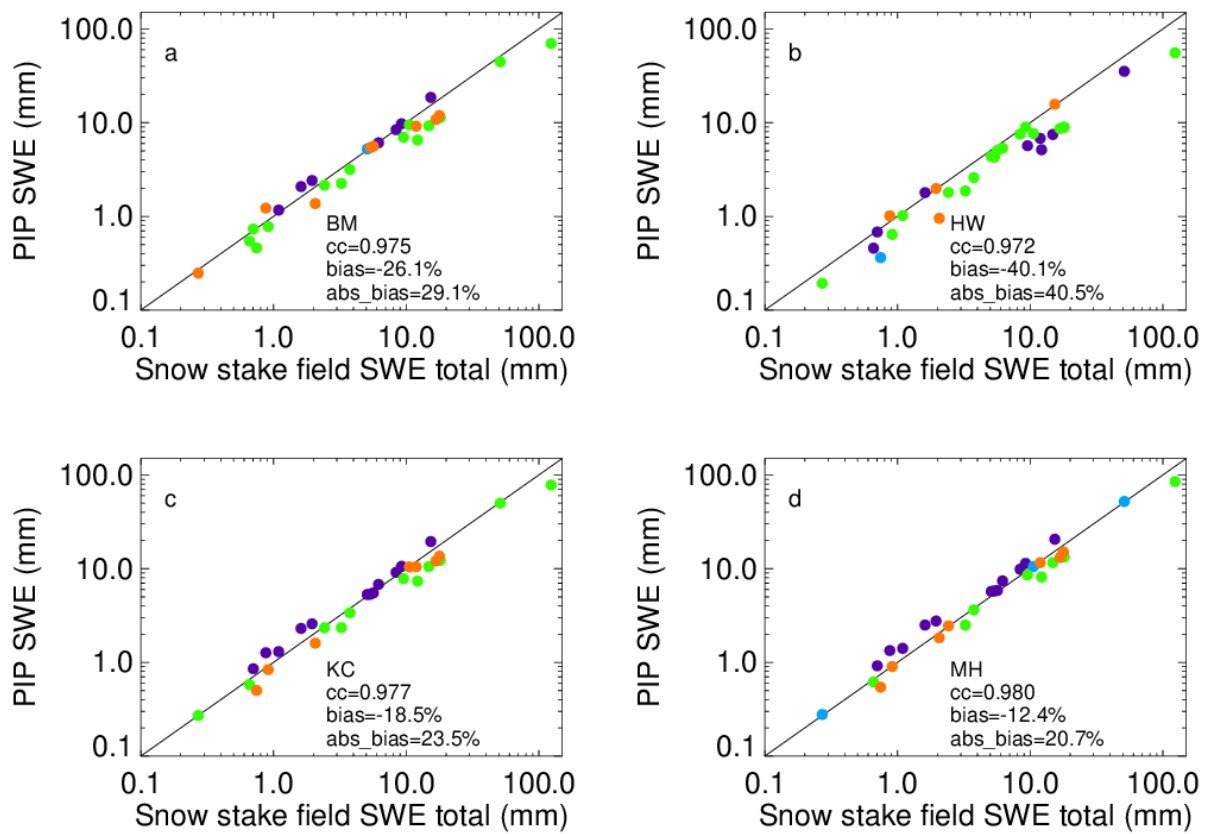


Figure 15. Comparison of PIP-estimated and NWS snow stake field measured (with wind correction) Snow Water Equivalent (SWE) event totals for a) BM, b) HW, c) KC, and d) MH method-based PIP calculations and for the best agreement among the four PIP  $D_{mx}(D_{eq})$  relationships ( $1.2D_{eq}$ ,  $1.3D_{eq}$ ,  $1.4D_{eq}$ , and  $1.5D_{eq}$ ). The correlation coefficient (cc), and bias and absolute bias between the two estimated and observed variables are also in given.

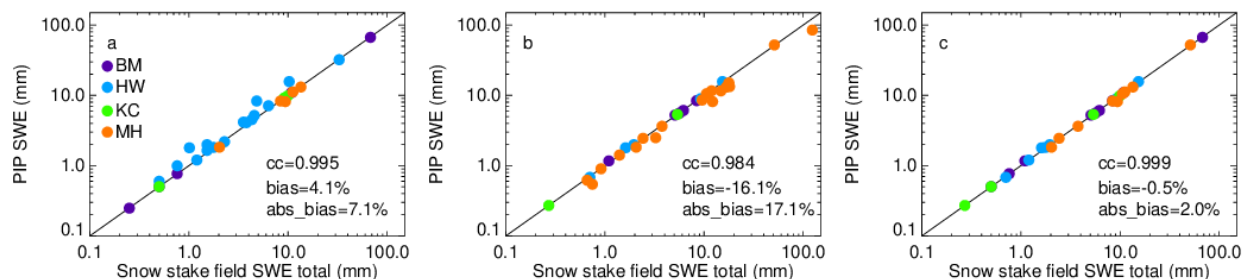


Figure 16. Comparison of PIP-estimated and NWS snow stake field measured Snow Water Equivalent (SWE) event totals a) without wind correction, b) with wind correction , c) with/out wind correction for the best agreement among the four PIP mass estimation methods (BM, HW, KC, and MH) and the four PIP  $D_{mx}(D_{eq})$  relationships ( $1.2D_{eq}$ ,  $1.3D_{eq}$ ,  $1.4D_{eq}$ , and  $1.5D_{eq}$ , not shown). The correlation coefficient (cc), and bias and absolute bias between the two estimated and observed variables are also in given.